

भाकृअनुप-राष्ट्रीयपशुरोगजानपदिकएवंसूचनाविज्ञानसंस्थान

ICAR-National Institute of Veterinary Epidemiology and Disease Informatics रामगोंडनहल्ली, येलहंका, बेंगलुरू – ५६० ११९, भारत

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NATIONAL ANIMAL DISEASE REFERRAL EXPERT SYSTEM -INTEGRATING DATA-DRIVEN DISEASE SURVEILLANCE AND PREDICTIVE ANALYTICS FOR LIVE-STOCK DISEASES (NADRES V2)

Presenting By

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Early Warning is a systematic process of hazard monitoring, prediction, and risk forecasting, combined with the timely dissemination of reliable information to vulnerable populations and institutions, with the objective of enabling anticipatory actions that reduce disaster risk, protect lives, livelihoods, and ecosystems.

WEarly Warning





Environmental Hazards



Natural Disasters and Other Hazards



Agriculture & Food Security



Cyclones & Hurricanes



zoonotic or livestock diseases

Risk Reduction: Provides advance notice to minimize loss of life, livestock, crops, and property.

Preparedness: Gives communities and institutions time to plan, evacuate, or safeguard resources.

Rapid Response: Ensures that emergency systems (health, rescue, veterinary, disaster management) are activated in time.

Resilience Building: Strengthens the capacity of society to withstand and recover from hazards.

Cost-effectiveness: Preventive action based on early warning is far less costly than post-disaster recovery.

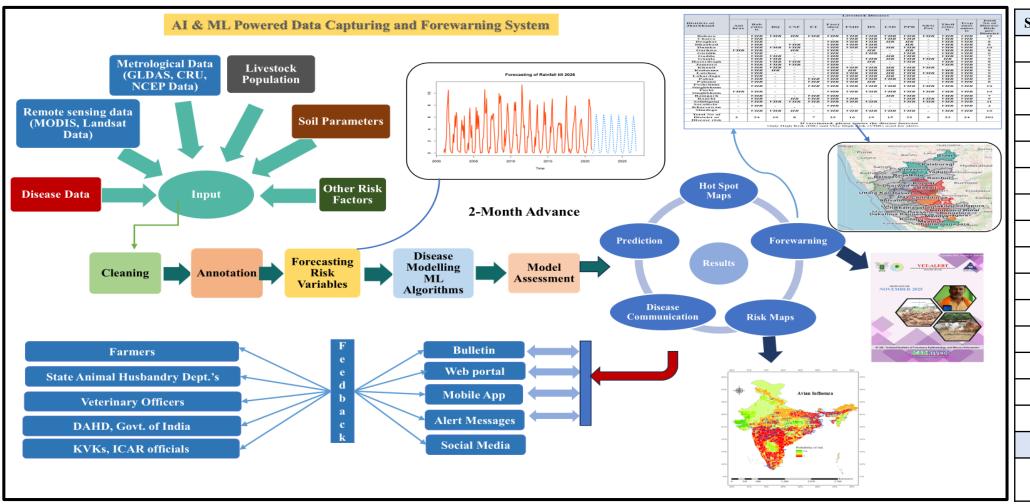
Volcanic Eruptions

Livestock Disease Risk Forewarning Through AI & ML Based Disease Modelling

NADRES V2- NATIONAL ANIMAL DISEASE REFERRAL EXPERT SYSTEM

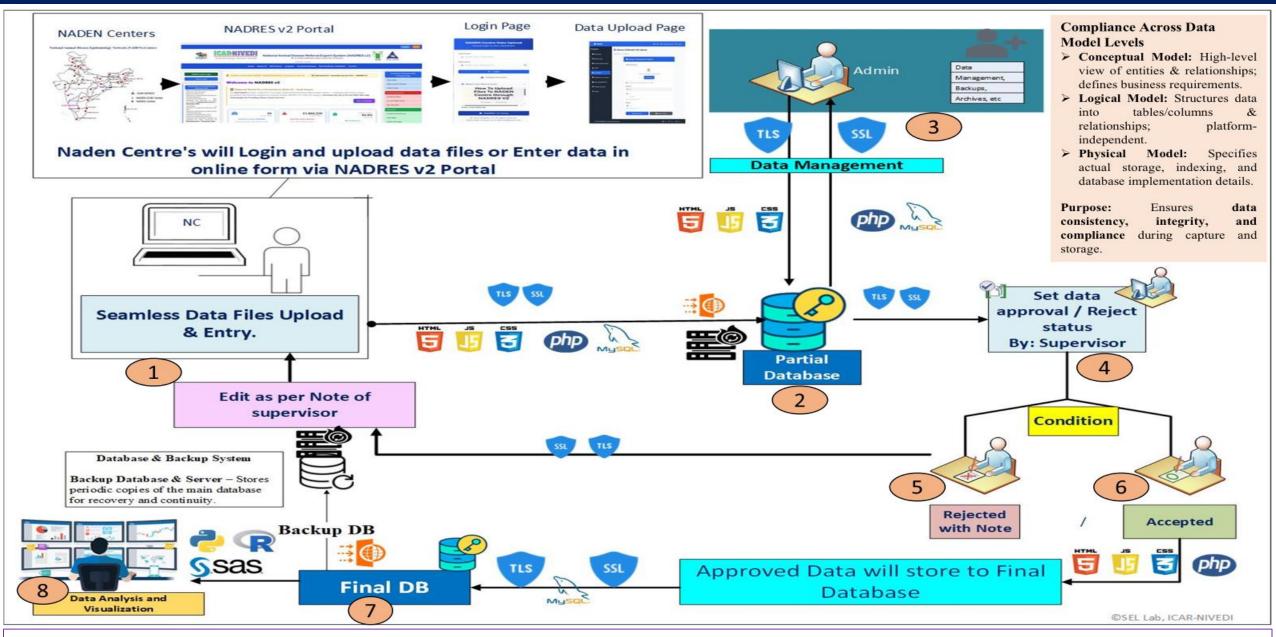
https://nivedi.res.in/Nadres_v2/index.php

Preamble: NADRES v2 is an early warning system powered by Artificial Intelligence and machine learning with set of capacities needed to generate and disseminate timely and meaningful warning information that enables at-risk livestock population, and guide the farmers and organizations to prepare and act appropriately and in sufficient time to reduce the livestock disease incidence.



Sl. No	List of Diseases								
1	African Swine Fever								
2 Anthrax									
3	Babesiosis								
4	4 Black Quarter								
5 Bluetongue									
6	Classical swine fever								
7	Enterotoxaemia								
8	Fasciolosis								
9	9 Foot and mouth disease								
10	Haemorrhagic septicaemia								
11	Lumpy Skin Disease								
12	Peste des petits ruminants								
13	Sheep and Goat pox								
14	Theileriosis								
15	15 Trypanosomosis								
	In the pipeline								
Avi	Avian Influenza, Anaplasmosis, Mycoplasmosis								

Real time/Near Real time Disease Data Capture and Storage Workflow: NADRES V2 Database Flow Diagram



Epidemiological data were compiled at the state, district and village levels from multiple sources, and a subsample of cases was confirmed in the laboratory; the dataset includes information on susceptible populations, attack rates and outbreak-associated mortality

Real Time Climatic Factors used for Forecasting, Forewarning and Developing Risk maps

Livestock Population Livestock data (Numbers) Cattle 19,63,79,000 Buffalo 11,04,24,984 Sheep 15,01,13,442 Goat 7,32,94,702 Pig 92,94,830 Villages-664369 Blocks-5564

Source: 20Th Livestock census,

DAHD, GoI

	8
Remote sensing	Units
LST	°C
NDVI & EVI	-1 to 1
PET	mm
LAI	m^2/m^2
LST Resolution: 1km	NDVI &EVI, PET, LAI Resolution:500 m.
Source:	

https://ladsweb.modaps.eosdis.nasa.g

https://search.earthdata.nasa.gov/

Remote Sensing

	Meteo	rological
Meteorological	Units	Meteorolog
Air Temperature	k	Cloud Cover
Potential Evaporation	w/m^2	Relative Hun
Rate Rainfall	kg/m²/s	Temperature
Soil Moisture	kg/m ²	Temperature
Specific Humidity	kg/kg	Temperature
Surface Pressure	Pa	Vapour Press
Wind Speed	m/s	Wet dry Fred
Source: https://disc.gsfc.nasa.gov AS_NOAH025_M_2.1/s words=GLDAS		Source: https://crudat _ts_4.05/crut
Resolution: 0.25 * 0.25	degree	Resolution: (

Meteorological	Units								
Cloud Cover	%								
Relative Humidity %									
Temperature °C									
Temperature Max °C									
Temperature Min °C									
Vapour Pressure	hPa								
Wet dry Frequency days									
Source: https://crudata.uea.ac.uk/c _ts_4.05/cruts.210305124	Č								

Resolution: 0.5 degree

Climatic event	Criteria
Rainfall event	>100mm
Maximum Temperature event	>35°C
Minimum Temperature event	< 15°C
Forest fire	Whole

Incorporated

Elevation (Min,

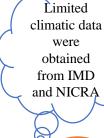
Under process

Water bodies

Max, Mean)

Soil PH

Climatic Events



Spatial Endemicity

Temporal Endemicity

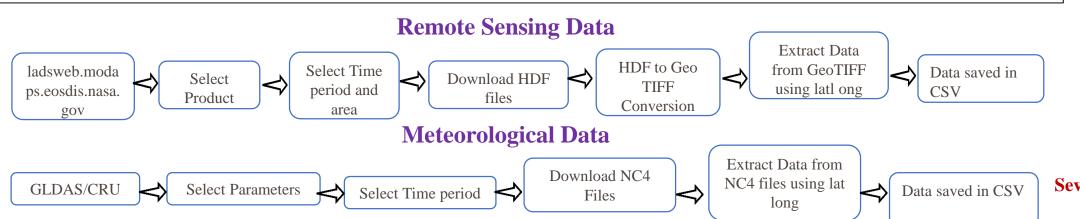
Carbon Emission

Auto Correlation

★ Village populations were aggregated to districts and transformed to population density

Delta Weather Parameters: Represents the difference between two corresponding values, typically between two time periods, **to capture changes or trends**. **Static Set:** Long-term deltas (2001–2021) showing climatic trends affecting disease patterns.

Dynamic Set: Recent deltas (2018–2023 averages) capturing ongoing weather changes for short-term forecasting.



Space Time Cluster Linear Discrimina nt Analysis

Risk Modelling Maps

> Secondary infection(R 0)

Seven step approach used for risk Prediction

Institutional Collaborations for Climatic Variables and Forecasting

- ➤ Indian Meteorological Department (IMD): Recently established collaboration to enable real-time weather data capture (rainfall, temperature, humidity, wind) from IMD's Automatic Weather Stations (AWS). These datasets are systematically ingested, quality-controlled, and harmonized for seamless integration into NADRES V2 forecasting pipelines.
- ✓ Risk Communication and Advisory Dissemination
- ✓ Extension of NADRES V2 advisories through **IMD's farmer outreach platforms** including:
 - ✓ Agromet Advisory Services (AAS)
 - ✓ Meghdoot Mobile App
 - ✓ Mausam App
- ✓ Strengthening multi-channel dissemination by integrating with FRUITS and DLT SMS alerts, NADRES portal, and social media platforms, thereby ensuring timely, accessible, and actionable early warning for farmers and stakeholders.
- Indian Space Research Organisation (ISRO): Partnership to leverage satellite-based climatic variables (e.g., land surface temperature, soil moisture, vegetation indices, evapotranspiration) for enhancing the spatio-temporal precision of disease risk prediction models.
- NICRA (National Innovations on Climate Resilient Agriculture): Collaboration to utilize selected climatic variables and long-term climate projections for strengthening adaptive capacity and enhancing the accuracy of livestock disease risk forecasting.

These collaborations strengthen NADRES by improving the accuracy of livestock disease forecasting and expanding risk communication through IMD's outreach platforms for timely, localized advisories.



MoU Signed between ICAR-NIVEDI and IMD on 16-09-2025

Data Alignment and Data Annotation



19 meteorological, 5 remote Sensing, 4 climatic events, 24 Delta parameters, 4 Ecological variables

Static Dataset

(Average of 2011 to 2022)

Dynamic Dataset

(Average of 2023, 2024, predicted 2025)

Data Layering

(First Static & then Dynamic)

Dimensionality Reduction

Dimensionality Reduction through
Feature extraction technique **Principal Component Analysis (PCA)**. It combines
features to capture more of variance

Lagged Variables

Incorporating previous months data

Input climate data



15 Livestock Diseases (2016 to 2025)

Yearly score

Disease data from 2016 to 2025 were assigned descending weights, with recent years scoring higher (e.g., 2025 = 10, 2024 = 9, ... 2016 = 1).



Monthly score

Aggregates 10 years of monthly outbreak data for 15 diseases and scales it from 1–10 to standardize across diseases and months, improving comparability and aiding timely outbreak prediction.



Integrated Dataset for Disease Outbreak Modeling

Population Data

19 Meteorological variables

																							,									
1 5	ate_id state_name	district_id distr	ict_nadi:	isease_idisease_name	month	cattle	buaffalo	goat	sheep	pig d	_bovine d_:	s_g d_pi	g d_b_	s_g d_all	Air	r_temp	Cloud_cover F	recipitation_rate	Precipitation_water	Precipitation	Pressure	Relative_humidity	Sea_Level_pressure	Soil_moisture	Soil_Temperature	t_max	t_min	Temperat u	_wind V	wind wet	Wind_speed	Vapour_pressure Diurnal_te
2	1 ANDHRA PRAD	ESH 102 Ana	ntapı	189 Lumpy Skin Disease	1	2 497102	285443	884186	4926587	12767	40.9067 3	03.752 0.6	6738 344	.659 345	3.326 16	6893.83007	2292.43264	1185.700084	16.60944466	1284.177868	155.0745871	-927.7200328	-199.611437	57.20221397	-167.8189382	85.1603	-6.6321	24.3907	9.5354 -1	16.1302 14.39	83 13.6547005	1.24051003 -0.10948
3	1 ANDHRA PRAD	ESH 102 Ana	ntapı	189 Lumpy Skin Disease	1	2 497102	285443	884186	4926587	12767	40.9067 3	03.752 0.6	6738 344	.659 345	.326 -1	16436.4469	2503.61205	2796.14622	-198.1507603	-2202.44493	-1079.51206	-873.8241509	189.7424682	24.60903523	-75.80721605	-63.6857	-2.00569	33.9836	12.8616 -	10.5059 4.698	59 0.85432838	0.193514062 -0.10201
4	1 ANDHRA PRAD	ESH 103 Chit	toor	189 Lumpy Skin Disease	1	950026	86680	535063	1696698	3111	68.4204 1	47.292 0.2	20532 215	.712 215	5.917 16	6689.26948	3904.16852	1250.931859	0.359429569	1417.348009	-55.9639369	-155.2797792	170.9605899	-154.1903047	-49.43091673	-3.87176	28.9984	-119.288	13.3634 -	18.7736 14.73	35 11.8003962	2.93800469 -0.08574
5	1 ANDHRA PRAD	ESH 103 Chit	toor	189 Lumpy Skin Disease	1	950026	86680	535063	1696698		68.4204 1	_	_		-		2495.15364	2755.186459	-205.3458182	-1892.96346	-1125.40098	390.7676172	-279.8949087	-248.0420002	37.39723427						89 -9.8717454	
6	1 ANDHRA PRAD	ESH 104 Y.S.F	₹.	189 Lumpy Skin Disease	1	2 137099	486581	578607	1869861	3625	40.6068 1	59.416 0.2	23602 200	.023 200).259 16	6822.43845	3564.14616	1659.657856	7.852598961	1313.518666	102.740312	-934.263483	-185.2889604	-170.7378163	-174.757787	112.036	55.7967	0.20935	9.92289 -	15.6845 19.2	04 15.3806847	1 1.809760973 -0.02182
7	1 ANDHRA PRAD	ESH 104 Y.S.F	₹.	189 Lumpy Skin Disease	1	2 137099	486581	578607	1869861	3625	40.6068 1	59.416 0.2	23602 200	.023 200).259 -1	16449.9675	4109.00105	4345.856022	-215.6903921	-2055.03711	-1228.44076	-354.1737026	-576.6983128	-253.8433391	60.0271828	18.759		_			76 -1.274500	7.893625307 -0.00585
8	1 ANDHRA PRAD	ESH 105 East	God	189 Lumpy Skin Disease	1	396021	585246	318696	316480	18646	90.7992 5	8.7745 1.7	72536 149	.574 151	.299 16	6833.92384	4586.06625	3171.649239	-14.22928355	1244.234146	-187.534076	-288.4442359	122.9994531	-351.8735011	-28.44505909	-37.4145	117.95	-8.75875	15.2982 -7	28.3671 12.58	87 -6.9901746	-0.182407661 -0.09474
9	1 ANDHRA PRAD	ESH 105 East	God	189 Lumpy Skin Disease	1	2 396021	585246	318696	316480	18646	90.7992 5	8.7745 1.7	72536 149	.574 151	.299 -1	16761.8831	4723.79117	4927.580363	-173.2702628	1327.985799	-373.134015	103.8310607	327.4932807	-329.6284129	110.6221462	-87.3713	101.606	-1.39381	-16.426 -1	19.6895 8.854	78 12.5961969	-11.95977787 -0.23383
10	1 ANDHRA PRAD	ESH 106 Gun	tur	189 Lumpy Skin Disease	1	2 95927	882347	196153	704863	4128	85.8813 7	9.0989 0.3	86239 16	4.98 165	343 16	6913.97094	3806.56535	3928.246508	-9.252700358	1064.986789	439.472011	-252.7698209	106.1647541	-90.0234869	-67.57049452	-39.9865	98.4552	-58.8617	9.79177 -1	18.4861 11.83	94 -4.912794	2.36851291 -0.00638
11	1 ANDHRA PRAD	ESH 106 Gun	tur	189 Lumpy Skin Disease	1	2 95927	882347	196153	704863	4128	85.8813 7	9.0989 0.3	36239 16	4.98 165	.343 -1	16766.0738	4576.29466	4845.946003	-164.9468427	959.4386299	213.000361	-558.1031032	527.465182	-53.9640717	26.75528722	-29.5485	91.1627	-48.3665	-21.963 -1	16.2526 6.959	91 23.8818996	-4.1800266 -0.11636
12	1 ANDHRA PRAD	ESH 110 Krisl	hna	189 Lumpy Skin Disease	1	2 78846	669773	196986	593007	7361	85.7819 9	0.5229 0.8	34347 176	.305 177	7.148 16	6938.13627	3473.51293	4285.758935	-5.723996681	1039.085627	439.7109617	-703.801798	-96.02844104	-106.0940135	-53.43291299	-18.0552	90.4175	-52.9716	7.65941 -2	23.9127 15.13	47 4.01843441	3.089694855 -0.0326
13	1 ANDHRA PRAD	ESH 110 Krisl	hna	189 Lumpy Skin Disease	1	2 78846	669773	196986	593007	7361	85.7819 9	0.5229 0.8	34347 176	.305 177	.148 -1	16889.7511	4636.60377	4910.557125	-165.5129484	1037.752134	275.3368193	-391.5601808	-158.7688348	-107.5066907	67.28701965	-31.0247	93.1335	-49.6878	-23.962 -1	13.1805 10.8	75 53.3181451	-1.387895505 -0.1354
14	1 ANDHRA PRAD	ESH 111 Kurn	ool	189 Lumpy Skin Disease	1	2 356122	419855	610574	1985957	11482	43.9448 1	47.046 0.6	55024 19	0.99 191	1.641 16	6854.90339	3032.25558	1653.683417	8.31740242	1063.071159	236.2757876	-964.1018954	-215.2432344	17.81676685	-169.2043594	34.1641	81.9597	-3.96981	8.45859 -	10.8223 14.4	66 12.9547314	-1.193173406 -0.09067
15	1 ANDHRA PRAD	ESH 111 Kurn	nool	189 Lumpy Skin Disease	1	2 356122	419855	610574	1985957	11482	43.9448 1	47.046 0.6	55024 19	0.99 191	.641 -1	16415.6846	3941.64904	4182.312626	-159.7020112	855.9657218	-181.835351	-844.2740694	40.38474766	42.26513778	-22.93274968	4.1994	19.5842	7.3802	20.2045 -	12.0058 9.958	74 1.42240420	-10.15634529 -0.04775
						1	1															1										

5 Remote Sensing variables

24 Delta Parameters

4 Climatic Events

4 Ecological Parameters

52 Lag variables

Weightage

					'			1	The second second			1	1				1.1						
EVI	LAI	LST	NDVI	PET	Delta_Air	Delta_Clo	Delta_Vap	Delta_Diu	Max_temp_event	Min_temp_event	Rainfall_event	Forest_fire	Soil.PH	Ele_Max	Ele_Mean	Ele_Min	Air_temp_lag	Cloud_cover_lag	Min_temp	Rainfall_event	Forest_fir	Yearly_Score Month_score	out
12.9881	-18.9673	-10.4377	3.569	9.41457	3.62292	1.56881	0.69148	-0.28536	-0.184186093	-0.113567553	0.104380324	0.029935722	0.04464	0.02712	2.70E-05	-7.43E-06	3.622921063	2181.255394	-0.04014	0.027172323	0.03978	0 0	0
-7.68762	11.1341	-5.2571	-1.28738	-4.68017	11.1018	-5.65121	0.62684	-0.19418	-0.15222836	-0.170618388	0.133832022	0.004093454	0.0577	0.00986	1.50E-05	3.20E-05	11.10178631	2121.552889	-0.05408	0.111199262	-0.01394	0 0	0
-10.7045	-13.4362	-3.6083	-3.60131	17.7653	2.26936	2.83466	0.56858	-0.07617	-0.220767785	-0.104802384	-0.266926432	-0.01499836	0.07207	0.01892	4.13E-05	8.72E-06	2.269355864	3763.765876	-0.02331	-0.24884647	0.0109	0 0	0
-3.34075	5.27126	-5.62172	-0.99314	-0.27378	-0.59873	-2.00046	0.6672	0.03538	-0.321506806	-0.228965054	-0.052025754	-0.00375669	-0.05516	0.00302	7.65E-06	1.45E-05	-0.598733037	2092.921394	-0.06349	-0.04471928	-0.00519	0 0	0
-3.55559	-16.3153	-9.96241	2.55181	6.86125	2.65468	1.146	0.73518	-0.10514	-0.139088798	-0.105839956	-0.033076333	-0.00568281	0.04519	0.02364	3.04E-05	-1.20E-06	2.65468264	3425.433702	-0.05723	-0.052223917	-0.01049	0 0	0
-12.804	11.8091	-15.3867	10.6395	-2.28695	14.8162	-0.99514	0.94849	-0.21199	-0.226729534	-0.21473486	0.167036457	-0.00100344	0.02243	0.0082	1.12E-05	2.71E-05	14.81624438	3683.989957	-0.10913	0.165823332	-0.01674	0 0	0
9.66404	-25.0857	-16.3558	3.28004	9.01207	13.5266	4.93799	-0.06056	0.23808	-0.372336138	-0.110260566	0.124507901	-0.04291093	-0.01053	0.02834	1.57E-06	-1.36E-05	13.52657865	4477.328554	-0.00703	0.035557003	0.00706	0 0	0
-6.04899	8.49717	2.54558	8.48913	0.78739	1.10363	-4.02632	-0.04154	0.15877	-0.221953365	-0.126901217	0.268877741	-0.05028612	-0.13593	0.0306	1.32E-05	8.77E-06	1.103625116	4442.744038	-0.06017	0.21811646	-0.04043	0 0	0
12.8515	-25.1727	-16.0205	6.95784	7.96015	11.0941	0.18454	-0.07586	0.11434	-0.208585098	-0.182418761	-0.086432491	0.038494831	-0.01966	-0.00214	8.83E-06	-3.14E-05	11.09413844	3672.569643	-0.04137	-0.116066196	0.02902	0 0	0
0.4093	4.85326	0.83931	6.31199	-3.73484	7.12044	-4.59686	0.10317	0.2219	-0.076337195	-0.134844852	0.028749108	-0.03758924	0.00759	0.00657	8.45E-06	1.20E-05	7.120444759	4259.31318	-0.0686	0.017546211	-0.03532	0 0	0
12.7733	-23.4705	-17.1911	7.3678	3.93143	9.98045	2.3509	-0.13633	-0.09735	-0.222310268	-0.166703912	0.008307095	0.043491541	0.00728	0.00744	1.15E-05	-2.38E-05	9.980445061	3343.745903	-0.07449	-0.094848073	0.02787	9 2	1
3.36254	-0.00335	9.52706	3.63973	-6.57298	2.2721	-9.68957	-0.10823	0.0017	0.047329319	-0.087066225	0.002918407	-0.02316855	-0.13116	0.00292	-5.04E-05	3.50E-05	2.272097932	4383.666454	-0.07776	-0.149150002	0.02009	9 2	1
11.4068	-24.3961	-11.4941	18.6191	-12.031	-2.37108	9.24575	0.5281	-0.27677	-0.19255209	-0.213763043	0.107962164	0.021885126	0.02023	0.01938	1.79E-05	-2.28E-05	-2.371084125	2903.223866	-0.14239	0.06464516	0.01728	0 0	0
-10.6751	4.74387	-15.0177	2.16648	-5.04211	11.7804	-5.59343	0.69902	-0.14354	-0.241831879	-0.289551551	0.137944723	-0.04661712	0.05892	0.01338	7.95E-06	1.79E-05	11.78039183	3577.835583	-0.2022	0.065436832	-0.02199	0 0	0
							_																

Formula

Out ~ Population + Meteorological + Remote Sensing + Delta Parameters + Climatic events +Ecological Parameters + Lag variables+ Yearly score + Monthly Score

Binary Classification

If outbreaks >1, then it is 1 or else 0

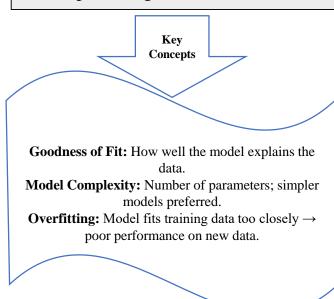


Dependent variable (Y):
Outbreaks

Machine Learning Models: Selection and Evaluation Criteria

Model Selection Criteria

- Akaike information criterion (AIC)
- Bayesian information criterion (BIC)
- Bridge criterion (BCCrossvalidation
- Deviance information criterion (DIC),
- Likelihood-ratio test
- Mallows's Cp
- Minimum description length
- Minimum message length (MML)
- PRESS statistics
- Stepwise regression





Model Performance Criteria

- KAPPA
- 2. ROC
- 3. TSS
- 4. Accuracy
- 5. Error Rate
- 6. Precession
- 7. Sensitivity
- 8. Specificity
- 9. F1 Score
- 10. Log loss
- 11. Gini Coefficient
- 12. RMSE
- 13. MAE

Using Ensembling Techniques

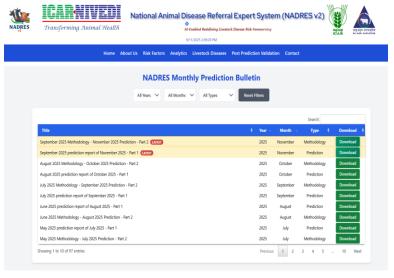
Ensemble models combine multiple machine learning models to improve prediction accuracy, reduce overfitting, and provide more reliable forecasts.

Types: Bagging, Boosting,

Stacking.

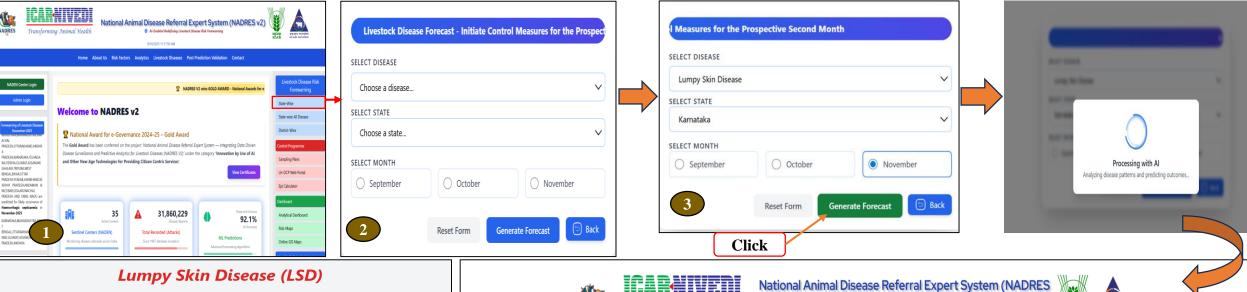
Methods: Voting, Averaging,

Weighted Averaging.



Vet-Alerts: Livestock Disease Forewarning Bulletin (Web-based Platform)

Interactive Visualization of AI-Based Disease Predictions: State, Disease and Month-Specific Insights in NADRES V2



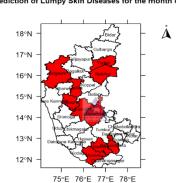
Preventive Measures:

- · Conduct ring vaccination within an 8 km radius using live attenuated LSD vaccines.
- Restrict movement of animals from infected areas.
- Disinfect contaminated areas with appropriate disinfectants like phenolic solutions.
- Dispose of infected carcasses by deep burial with lime.

If vaccinated, please ignore the disease forecast.

Disease Distribution Map

KARNATAKA Risk Prediction of Lumpy Skin Diseases for the month of November 2025





AI-Enabled Redefining Livestock Disease Risk Forewarning





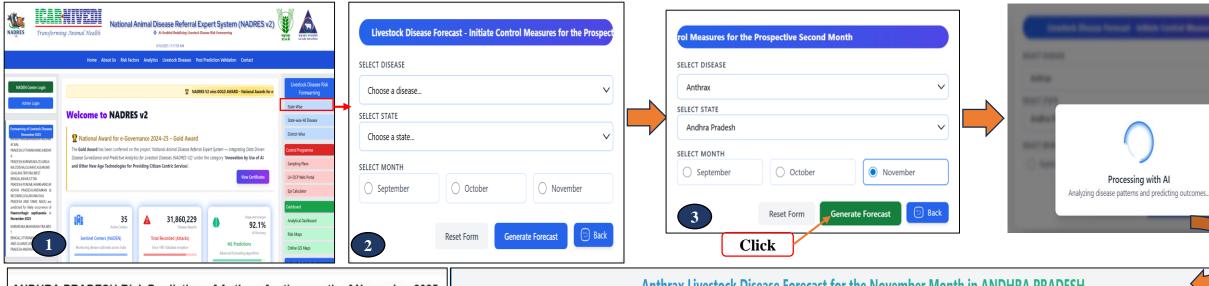


Home About Us Risk Factors Analytics Livestock Diseases Post Prediction Validation Contact

Lumpy Skin Diseases Livestock Disease Forecast for the November Month in KARNATAKA

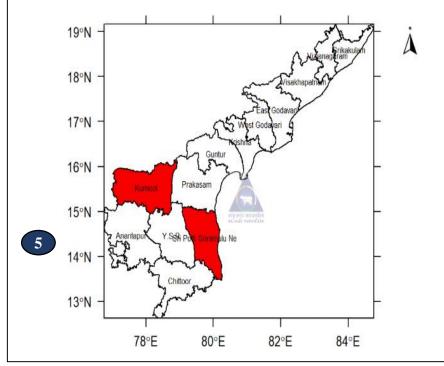
District Name	Cattle	Buffalo	Goat	Sheep	Pig	Month	Result
Belgaum	549540	844171	701741	757679	21784	November	Very High Risk
Chitradurga	225603	113304	385058	1352087	2177	November	Very High Risk
Davanagere	297377	123596	124542	505630	2418	November	Very High Risk
Haveri	261060	85501	144969	313205	3347	November	Very High Risk
Mandya	369986	109443	346430	347133	9408	November	Very High Risk
Mysore	492598	21682	208206	203463	7349	November	Very High Risk
Raichur	245374	112420	282718	657633	16384	November	Very High Risk
Yadgir	233336	57438	256848	437092	20504	November	Very High Risk
Ramanagara	287502	19644	150130	127988	7102	November	Very High Risk
Gadag	136311	55798	191656	395899	14258	November	High Risk
Hassan	548185	107971	129058	199387	1946	November	Medium Risk
Shimoga	518653	120563	59719	42526	6160	November	Medium Risk

Interactive Visualization of AI-Based Disease Predictions: Andra Pradesh Insights in NADRES V2



4

ANDHRA PRADESH Risk Prediction of Anthrax for the month of November 2025



Anthrax Livestock Disease Forecast for the November Month in ANDHRA PRADESH

District Name	Cattle	Goat	Sheep	Pig	Month	Result
Kurnool	356122	610574	1985957	11482	November	Very High Risk
Sri Potti Sriramulu Ne	107858	453820	1370812	3785	November	Very High Risk

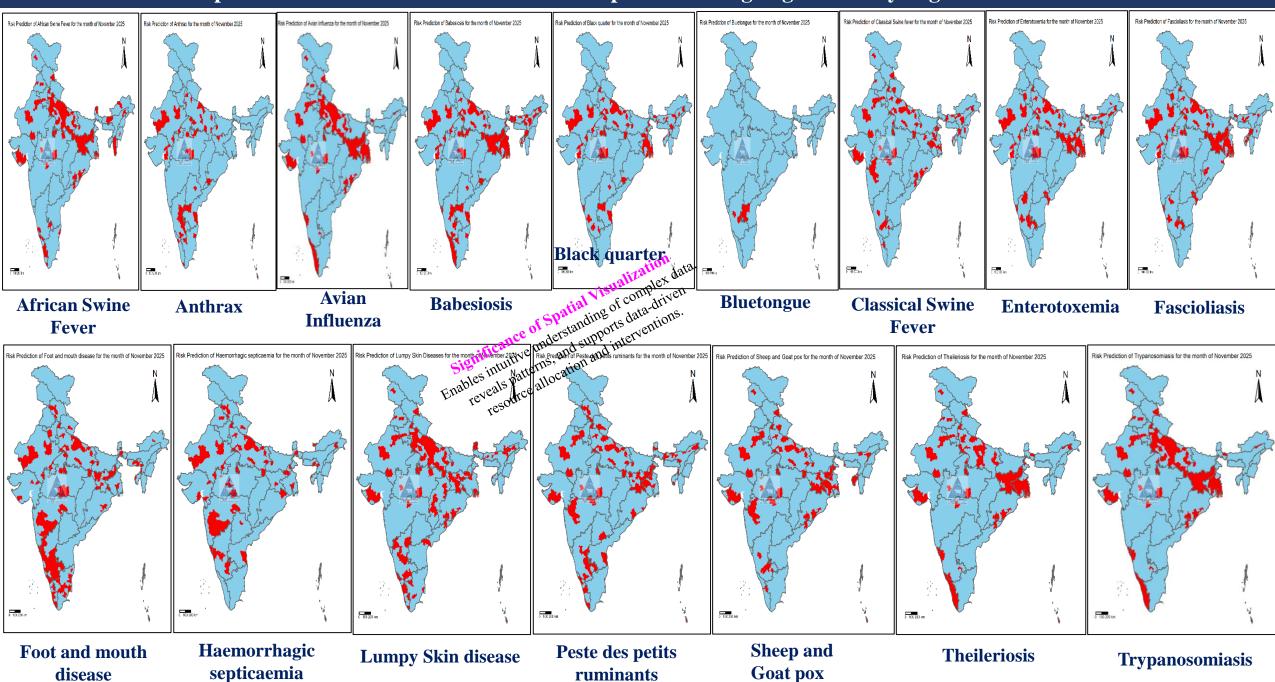
Anthrax

Preventive Measures:

- Ring vaccination and report of disease is advised.
- Vaccination to be done in consultation with veterinarians and as decided by state animal husbandry authorities.
- Strict biosecurity measures may be followed.
- Carcass may be disposed of by deep burying covered with lime powder.
- Contaminated areas may be disinfected with 4% formalin or 10% caustic soda.
- Grazing area may be restricted.

If vaccinated, please ignore the disease forecast.

September 2025 Livestock Disease Risk Maps: Visualizing High and Very High-Risk districts

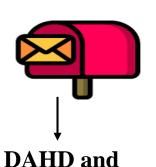


End to End Risk Communications

Monthly Forecasting of 15 Livestock Diseases (Based on AI and ML models) Dissemination to all Stakeholders



Dissemination by Post



ICAR officials

Soft copy (Vet-alert, Livestock Diseases Risk **Forewarning Bulletin)** Via emails



State Veterinary Officials(52), KVKS (731), **NADEN** centers (55 Including PI &Co-PI) LDF & NER LDF Mobile application



Real time access by field users (100+ Users)

√ Veterinary nodal officers use the system to create data-driven sampling plans for targeted surveillance.

NADRES Website



https://nivedi.res.in/Nad res_v2/index.php

Total Visitors: 27 Lakh Individuals (as of latest update)

Fruits SMS alerts to registered farmers



- ✓ 33.69 lakh SMS alerts were sent to farmers in September 2025.
- 35.80 million SMS alerts disseminated via FRUITS (April 2024 -August 2025).

DLT SMS to Veterinary **Doctors**



- **✓ 16,721 SMS alerts** sent to veterinarians in September 2025.
- ✓ 2.13 lakh SMS alerts sent to vets from September 2024 to August 2025.

Social Media **Platforms**

YouTube:

https://www.voutube.co m/@icar-nivedi

Facebook

https://www.facebook.co m/icarnivediofficial/

Instagram

https://www.instagram.c om/p/DF5DkggymcW/?i gsh=N2NvZXR5cHp3cX

LinkedIn

https://www.linkedin.co m/feed/update/urn:li:sh are:72946673718294364 17/

X (Twitter)

https://x.com/dilnivedi/s tatus/1888899265411645

GitHub:

https://github.com/SEL-NIVEDI/

Goals

- **Empowerment:** Facilitate protective and preventive actions.
- ✓ **Trust and Credibility:** Strengthen confidence in expert guidance.
- **Behavioural Change:** Encourage adoption of risk-mitigating behaviours.
- ✓ **Community Engagement:** Involve communities as active partners in risk management strategies.



Informed Farming Community & Veterinary Authorities

- **Early Response**
- **Risk Mitigation**
- **Animal Health Protection**

Risk Communication: Real-time, interactive exchange of risk information to enable informed decisions and protective actions.

Beneficiaries: Supports farmers, veterinary doctors, and policymakers in prevention, decision-making, and building trust in institutions.

Field-Level Accuracy of District-Wise Disease Forecasts vs. Reported Cases (2023–2024)

Sl.NO	Diseases	202	23	202	4
		No. of Districts Forecasted	No. of Districts Reported	No. of Districts Forecasted	No. of Districts Reported
1	African Swine Fever	-	153	239(from march)	537
2	Anthrax	257	20	253	38
3	Babesiosis	836	488	1074	473
4	Black quarter	430	68	592	53
5	Bluetongue	45	2	54	22
6	Classical Swine Fever	97	27	588	12
7	Enterotoxaemia	305	61	418	67
8	Fascioliasis	566	106	572	106
9	Foot and mouth disease	664	101	1001	83
10	Haemorrhagic septicaemia	461	22	872	39
11	Lumpy Skin Diseases	30(from oct to dec)	116	508	289
12	Peste des petits ruminants	810	172	968	142
13	Sheep & Goat pox	478	57	526	30
14	Theileriosis	793	496	936	501
15	Trypanosomiasis	692	325	802	363



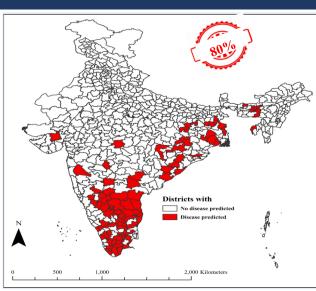
False Negative Error:

Districts Reported but Not Forecasted
In 2024, a total of 24 districts
(approximately 10.76%) reported at least
one disease outbreak, even though they
were not forecasted by the system.

False Positive Error:

<u>Districts Forecasted but Not Reported</u>
Meanwhile, **26 districts** (around **3.94%**)
were **forecasted** to have outbreaks, but **no cases** were reported from these
districts

Post-Prediction Validation of Livestock Disease Forecasts Using Outbreak



Anthrax prediction during 2023 for accuracy checking

NADRES v2 If implemented, could have prevented 93 Anthrax cases from January to March (=80 %)

- Total attacks during 2023: 116
- Spreads in: 10 districts

NADRES v2 predicted: 8 districts (=80%)

- Majority of attacks :January to March
- Total attacks in Jan-Mar: 66
- During Jan-Mar percentage of attacks: 56.9%
- Spreads in : 5 districts (Jan-Mar)

NADRES v2 predicted: 4 districts (=80%)

Districts with

No disease predicted

Disease predicted

Disease predicted

Black Quarter prediction during 2023 for accuracy checking

NADRES v2 If implemented, could have prevented 542 Black Quarter cases from January to June (≈ 83.33%)

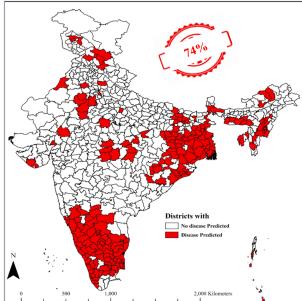
- Total attacks during 2023: 650
- Spreads in : 28 districts

NADRES v2 predicted : 23 districts (≈ 82.14 %)

- Majority of attacks: January to June
- Total attacks in Jan-Jun: 484
- During Jan-Jun percentage of attacks: 74.46 %
- Spreads in : 24 districts (Jan-Jun)

NADRES v2 predicted : **20** districts (≈ **83.33%**)

Validation of NADRES v2 showed 80% accuracy in predicting Anthrax outbreaks in 2023, highlighting its potential to prevent most cases through early warning.



FMD prediction during 2021 for accuracy checking

NADRES v2 If implemented, could have prevented 11,685 FMD cases from June to November (≈74%)

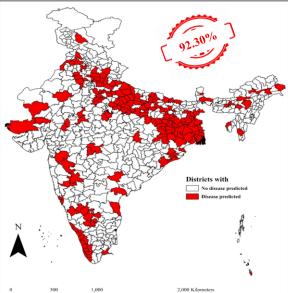
- Total attacks during 2021 : **19363**
- Spreads in : 116 districts

NADRES v2 predicted : 82 districts (≈71%)

- Majority of attacks :June to November
- Total attacks in June –Nov: 15791
- During June-Nov percentage of attacks: 81.5 %
- Spreads in: 104 districts (Jun-Nov)

NADRES v2 predicted : 77 districts (≈74%)

Validation of NADRES v2 showed \approx 83% accuracy in predicting Black Quarter outbreaks during 2023, underscoring its potential to prevent most cases through timely early warning.



Theileriosis prediction during 2023 for accuracy checking

NADRES v2 If implemented, could have prevented 2907 Theileriosis cases from January to August (\approx 92.30%)

- Total attacks during 2023 : **4271**
- Spreads in : 60 districts

NADRES v2 predicted : 54 districts (= 90.00%)

- Majority of attacks: January to August
- Total attacks in Jan-Aug: 3150
- During Jan-Aug percentage of attacks: 73.75 %
- Spreads in : **52** districts (Jan-Aug)

NADRES v2 predicted : 48 districts (≈ 92.30%)

Validation of NADRES v2 showed 74% accuracy in predicting FMD outbreaks in 2021, highlighting its potential to prevent most cases through early warning.

Validation of NADRES v2 showed 92.30% accuracy in predicting Theileriosis outbreaks in 2023, highlighting its potential to prevent most cases through early warning.

Post-Prediction Validation Using ProMED Data

We validated our forecasted results for livestock diseases using ProMED outbreak reports.

- ➤ Monthly forecasts were compared with actual reported outbreaks to verify whether the predicted diseases occurred in the same month and at the same predicted locations.
- > This spatio-temporal validation helped assess the accuracy of the disease timing in our forecasting model.

African Swine Fever

LAWNGTLAI AND MAMIT (MIZORAM): PUBLISHED DATE: SAT 29 MAR 2025: MIZORAM BATTLES FRESH AFRICAN SWINE FEVER OUTBREAK AS OVER 500 PIGS GIE

Lumpy Skin Disease



Mizoram battles fresh African
Click Here: Swine Fever outbreak as over 500
pigs gie - Daijiworld.com

Date: Sat 29 Mar 2025

Issue Date: 4/1/2025, 10:45:46 AM GMT+5:30

AFRICAN SWINE FEVER

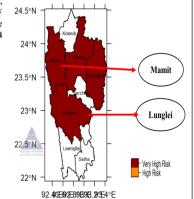
Mizoram State, India

- □ A new outbreak of African swine fever (ASF) has struck Mizoran, leading to the deaths of over 510 pigs in just 2 weeks, officials confirmed on Saturday [29 Mar 2025]. The highly contagious disease has spread across 13 villages and localities in Lawngtlai and Mamit districts, prompting urgent containment measures.
- □ Teams from the Animal Husbandry and Veterinary Department (AHVD) have already culled around 100 pigs and piglets in an effort to prevent further transmission. The fresh outbreak was confirmed on 20 Mar [2025] after testing at the Northeast Regional Disease Diagnostic Laboratory (NERDDL) in Guwahati.
- ☐ The outbreak initially surfaced in Lawngtlai district, which shares an unfenced international border with Myanmar and Bangladesh. The infection then spread to Maintitotistrict, which borders Tripura and Bangladesh. Authorities are now closely monitoring the situation to contain the disease and prevent further losses.
- ☐ Mizoram has suffered severe financial setbacks due to recurring ASF outbreaks. In 2023 alone, the disease killed over 1100 pigs, while nearly 1000 were culled. The previous year, in 2022, ASF claimed 12 795 pigs, leading to 11 686 cullings. The worst outbreak occurred in 2021, when the state lost 33 417 pigs and was forced to cull 12 568 more, causing a financial loss of INR 334.14 crore [INR 3 341 400 000, approx. USD 39 million].

NIVEDI Prediction Reported February 2025 and Predicted April 2025

	•	•	
Districts of Mizoram	ASF Preidiction for March 2025	ASF Preidiction for April 2025	ASF Preidiction for May 2025
Aizawl	VHR	VHR	VHR
Kolasib	-	-	VHR
Lunglei	VHR	VHR	VHR
Mamit	VHR	VHR	VHR
Saiha	VHR	-	VHR





BELAGAVI (KARNATAKA) : PUBLISHED DATE 26-11-2024 : LUMPY SKIN DISEASE STRIKES CALVES IN BELAGAVI



Published Date: 2024-11-26 23:06:36 IST

Subject: PRO/SOAS Lumpy skin disease - India D2): (Karnataka) cattle, calves

Archive Number: 20241126 8720274

LUMPY SKIN DISEASE - INDIA (02): (KARNATAKA) CATTLE, CALVES

A ProMED-mail post http://www.promedmail.org ProMED-mail is a program of the International Society for Infectious Diseases http://www.isidor.org The district [Belagavi, Karnataka state, India] is once again battling lumpy skin disease, a contagious viral disease that a acts cattle, and this time, it is spreading mostly among calves. The department of animal husbandry has commenced vaccination of calves on Monday [25 Nov 2024].

This is the third wave of lumpy skin disease. In the rest phase, the disease a acted local cattle, while the crossbreed cattle were a acted in the second phase. In the third phase, it is a acting the calves, especially the cow calf. However, department sources said the severity of the disease has considerably decreased as compared to the rest phase.

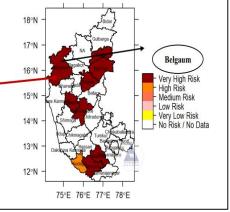
As far as Belagavi district is concerned, the disease has been found in several pockets, mainly in Kittur taluk. Lumpy skin disease is transmitted by blood-feeding insects, such as certain types of flies, mosquitoes, and ticks. It causes fever, nodules on the skin and can lead to death, especially among cattle that were not previously exposed to the virus.

"We started vaccinating calves from Monday [25 Nov 2024]. In the district, there are approximately 70 000 calves, and we have planned to complete their vaccination within a week. We received 1.6akh [160 000] doses of vaccination to vaccinate all calves between 4-12 months. The vaccination is not required for a calf below 4 months because of its naturally strong birth immunity." Rajeev Koler, deputy director of the animal husbandry department told TOI.

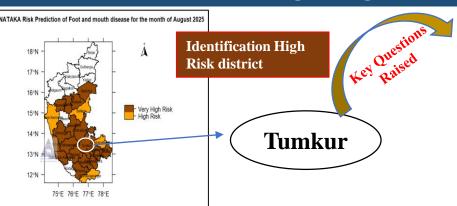


NIVEDI PRECTION Reported September 2024 and Predicted November 2024

Districts of Mizoram	LSD Preidiction for October 2024	LSD Preidiction for November 2024	LSD Preidiction for December 2024
Belgaum	VHR	VHR	NR
Davanagere	NR	VHR	NR
Haveri	VHR	VHR	NR
Kodagu	NR	VHR	NR
Koppal	NR	VHR	NR



Integrating Mathematical Modeling Post Disease Risk Forecasting

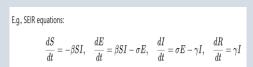


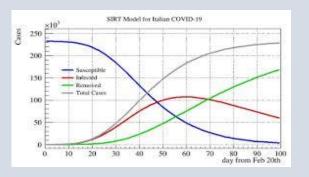
How will a disease spread within a population, and what factors influence the speed, scale, and peak of an outbreak?

Which combination of interventions (e.g., vaccination, quarantine, and social distancing) is most effective in controlling and epidemic, and what is the optimal timing for their implementation?

Mathematical Model development

- ✓ Epidemiological Equations (SIR/SEIR Models)
- ✓ Simulations
- ✓ Sensitivity Analysis





Output

- ✓ Disease transmission curves.
- ✓ Peak infection time and expected case numbers.
- ✓ Estimation of resource needs (e.g., vaccines, isolation units).

Deployment

- ✓ Integration with GIS and prediction outputs.
- ✓ Real-time scenario testing (e.g., effect of vaccination, movement control).
- ✓ Web-based decision support tools for policymakers.
- ✓ Simulation dashboards for field officers and stakeholders.

What are the economic costs of an epidemic, and which intervention strategies provide the best balance between public health benefits and economic feasibility?

How can mathematical models inform policymakers to prepare for future outbreaks and prevent secondary waves of infection?

Data Required for Mathematical Modeling

- ✓ Population density of livestock.
- ✓ Movement and contact rates of animals.
- ✓ Vaccination coverage data.
- ✓ Environmental persistence and transmission dynamics.
- ✓ Disease-specific biological parameters (e.g., incubation period, R₀).

Helps in

- Evidence-based decision-making.
- Efficient resource allocation.
- Designing targeted control strategies (ring vaccination, surveillance).
- Stakeholder communication with scenario simulations.

Modeling Foot-and-Mouth Disease (FMD) Dynamics Across Multiple Hosts

Objective:

- 1. To develop a multi-host FMD model incorporating cattle, buffalo, sheep/goat, and pigs to capture cross-species transmission and predict outbreak time, duration, infection peak, spread speed, and disease scale under varying population densities.
- 2. To evaluate the effectiveness of control strategies such as vaccination for host animals and biosecurity measures in reducing FMD spread, and to provide insights for designing optimal intervention policies

Questions that the model can answer

- 1. How can mathematical models explain the speed, peak, and overall scale of a disease outbreak in a population, and which parameters (such as transmission rate, recovery, immunity, the role of vaccination, and environmental factors like rainfall, temperature, and p^H) most strongly influence these patterns?
- 2. What combinations and timings of interventions such as vaccination, quarantine/isolation of symptomatically infected animals do models predict as most effective for controlling an epidemic while minimizing social and economic disruption?
- 3. How can models be used to estimate the risk of disease introduction in a specific region, forecast long-term epidemic dynamics, and guide policymakers in preventing future waves of infection?

Assumptions

- 1. Homogeneous Mixing All host species (cattle, buffalo, sheep, goat, and pigs) are assumed to mix uniformly, with equal probability of contact across individuals within and between species.
- 2. Deterministic Process The model predicts FMD transmission dynamics based on **fixed parameters and initial conditions**, without incorporating random chance or stochastic events.
- 3. Constant Rates Epidemiological parameters such as recovery rate and natural mortality are assumed constant over time.
- 4. Uniform Individual Characteristics Within each host group, individuals are considered equally susceptible and equally infectious, without accounting for age, immunity level, or behavioral variation.
- 5. Disease-Free or Endemic Equilibria The model analyzes the conditions under which FMD either dies out or persists as an endemic infection in the host population.

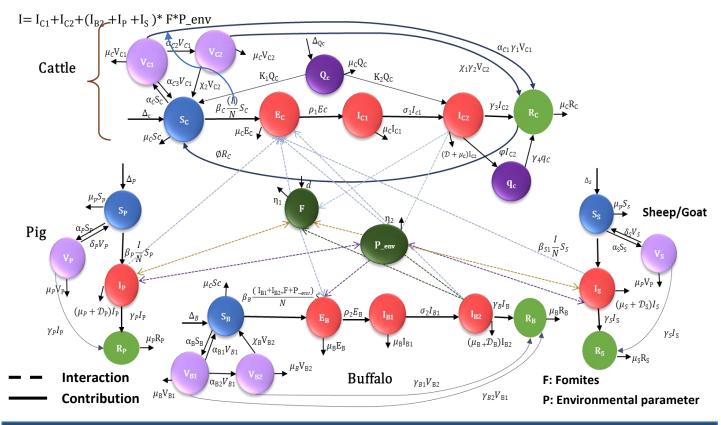
Epidemiology and History of the FMD

- Causative agent: FMDV, genus Aphthovirus, family Picornaviridae. Hosts: Cloven-hooved animals.
- > Transmission: Direct contact with infected animals or their secretions/excretions, Indirect contact (Fomites, Animal products, and Human), and Wind-borne
- Morbidity and mortality: Very highly contagious in susceptible populations.
- ➤ Durations of disease phases in cattle: Incubation 3.6 days (2.7–4.8 days); Latent 1.5 days (1.1–2.1 days); Subclinical infectious 2.2 days (1.5–3.5 days); Clinical infectious 8.5 days (6.2–11.6 days); Total infectious phase (Subclinical infectious + Clinical infectious)10.8 days (8.2–14.2 days).
- Serotypes: Seven types of FMD virus are A, O, C, Southern African Territories (SAT)- 1, 2, and 3, and Asia 1. Only types O, A, and Asia 1 are seen in India (Subramaniam *et al.*, 2013).
- ➤ Endemic disease FMD has been present in India since the 19th century; serotypes O, A, Asia-1 circulate widely, while C disappeared after the 1990s (Subramaniam et al., 2013).
- ▶ **Burden & hosts** India reports thousands of outbreaks annually, mainly in cattle and buffaloes, but also in sheep and goats. In Karnataka alone, 11,159 outbreaks with ~0.27 million cases were reported between 1977–2012 (Rout et al., 2014).
- ➤ **Serotype dominance** Serotype O causes >80% of outbreaks across India and Karnataka; A and Asia-1 appear sporadically, while C is absent (Rout et al., 2014).
- ➤ Geographic & seasonal trends Karnataka's dry zones (Central, Northern, Southern transition) report most cases, with peaks in cool, dry months and cyclic recurrence every 2–3 years (Rout et al., 2014).
- ➤ Control & vaccination Preventive vaccination started in 2006–07 (ASCAD) in Karnataka and scaled up under the FMD Control Programme (2004; nationwide 2019) with bi-annual mass vaccination (Govt. of India, 2019).

Why Mathematical Modeling for FMD

- ➤ Understand disease dynamics: Models describe how FMD spreads between animals, herds, and regions. They capture factors like transmission rate, incubation, carrier animals, and seasonality.
- ➤ Evaluate control strategies: Evaluate control strategies: Models assess the impact of vaccination frequency, coverage, and movement restrictions. Biannual vaccination campaigns in India have been designed, and future monitoring can be guided by insights from mathematical modeling.
- ➤ Optimize resource use: Helps governments decide where to allocate vaccines, manpower, and funds. Reduces wastage by targeting high-risk zones.
- ➤ Policy & decision support: Provides evidencebased guidance for disease eradication programs. Supports India's goal of achieving FMD-free zones for livestock trade.
- Assess the effectiveness of vaccination: Models measure herd immunity levels and show whether vaccination frequency and coverage are enough to prevent outbreaks.
- Simulate "what-if" scenarios: Allows testing of different outbreak situations (e.g., low vs. high vaccination, unrestricted vs. restricted animal movement) without real-world risk.

Schematic Diagram of SEIRVQq (Cattle), SEIRV (Buffalo), SVIR (Pig), SVIR (Sheep/Goat), Carrier Fomites (F), Environment (P_env) Mathematical Model



Factors Influencing the Building of the Mathematical Modeling

Environmental parameters: Temperature(<20), Relative Humidity(>55), and P^H (7-7.5) virus will survive in these conditions

Hosts	Spread factor	Control factor
Infectious animals (like infected Cattle, Buffalo, Sheep, and Goat)	Reservoir: Direct contact, Indirect contact	Vaccination, Isolation
Pig	Amplifier: Airborne	Vaccination and isolation
Fomites and Environment	Contact with Infected animals and with emitters of airborne	Isolation of infected animals

Compartment	Description			
$S_{C_i}S_B$	Susceptible population of Cattle and Buffalo			
$E_{C_{s}}E_{B}$	Latent/exposed population of Cattle and Buffalo			
$I_{C1,}I_{B1}$	Sub-clinical infectious population of Cattle and Buffalo			
I_{C2} , I_{B2}	Clinical infectious population of Cattle and Buffalo			
$R_{C_s}R_B$	Recovered population of Cattle and Buffalo			
$V_{C1,}V_{B1}$	Vaccinated fewer rounds population of Cattle and Buffalo			
V_{C2} , V_{B2}	Vaccinated more rounds population of Cattle and Buffalo			
Q_{C}	Quarantine population of Cattle			
${f q}_{f C}$	Isolated population of Cattle			
$S_{P_s}S_S$	Susceptible population of the Pig and Sheep/Goat			
$V_{P_s}V_S$	Vaccinated population of pigs and Sheep/Goat			
$I_{p,}I_{S}$	Infected population of the Pig and Sheep/Goat			
$R_{P_{r}}R_{S}$	The recovered population of pigs and Sheep/Goat			
P_env	Environmental parameters includes temperature, humidity and $p^{\rm H}$			
F	Fomites from contaminated feed, water, vehicles or farm workers			

- FMDV spreads mainly through secretions and excretions (breath, milk, semen, etc.) of infected animals.
- Direct transmission occurs via inhalation of virus-laden aerosols or contact with contaminated feed, water, vehicles, or farm workers.
- Indirect transmission happens through ingestion of contaminated animal products (milk, meat) or secondary aerosols.
- The virus survives for days to months in the environment, with survival influenced by temperature, humidity, and p^H.

Model Parameterization

Why Parameterization: It is important in mathematical modeling because it assigns realistic biological, ecological, and epidemiological values to the model's variables.

Sl.No	Parameter	Description				
1	eta_C	Transmission Rate of Cattle				
2	eta_B	ransmission rate of Buffalo				
3	eta_P	Transmission rate of Pig				
4	$oldsymbol{eta}_{S}$	Transmission rate of Sheep/Goat				
5	$\mu_{\mathcal{C}}$	Death Rate of Cattle				
6	μ_B	The death rate of Buffalo				
7	$\mu_{ extsf{P}}$	Death Rate of Pig				
8	\mathcal{D}_{c}	Disease-induced mortality rate of cattle				
9	$ ho_1$	Progression Rate from Exposed Cattle to Asymptomatically Infected Cattle				
10	σ_1	Progression rate from Asymptomatic Cattle to symptomatic Cattle				
11	$ ho_{2}$	Progression rate from Exposed Buffalo to Infected Buffalo				
12	σ_2	Progression rate from Asymptomatic Buffalo to symptomatic Buffalo				
13	Ø	Rate of loss of immunity				
14	α_{C}	Vaccination rate for Cattle				
15	α_{B}	Vaccination rate for Buffalo				
16	φ	Isolated symptomatically infected Cattle				
17	χ2	Waning rate of vaccinated animals				
18	γ_3	Recovery rate of symptomatic infected				
19	γ_4	Isolated Cattle Recovery Rate				
20	χ ₂	Waning rate of vaccinated cattle				

21	η_1	Fomites pathogen decay rate
22	η_2	Environment pathogen decay rate
24	S _C	Susceptible population of Cattle
25	E _C	Latent/exposed population of Cattle
26	I _{C1}	Sub-clinical infectious population of Cattle
27	I _{C2}	Clinical infectious population of Cattle
28	R _C	Recovered population of Cattle
29	V _{C1}	Vaccinated fewer rounds population of Cattle
30	V ^C ₂	Vaccinated more rounds population of Cattle
31	Q_{C}	Quarantine population of Cattle
32	q_{c}	Isolated population of Cattle
33	S _B ,	Susceptible populations of Buffalo
34	E _B ,	Exposed populations of Buffalo
35	I _{B1} ,	Subclinical Infected populations of Buffalo, respectively
36	I _{B2,}	Clinical Infected populations of Buffalo, respectively
37	R_B	Recovered populations of Buffalo
38	V_{B1}	Vaccinated population of fewer rounds in Buffalo
39	V_{B2}	vaccinated more rounds population of Buffalo
40	S_{P}	Susceptible population of the Pig
41	V_{p}	Vaccinated population of pigs
42	I_p	Infected population of the Pig
43	R_{p}	The recovered population of pigs
44	S _S ,	Susceptible populations of Sheep and Goats
45	$V_{\rm S}$	Vaccinated populations of Sheep and Goats
46	I_S	and Infected populations of Sheep and Goats
47	R_S	Recovered populations of Sheep and Goats

Model Formulation

CATTLE

1.
$$\frac{dS_c}{dt} = \Delta_C + \alpha_{C3}V_{C1} + \chi_2V_{C2} + K_1Q_C + \emptyset RC - \left[\alpha_C + \mu_{C_+} \beta_C \frac{(ICI + IC2 + IB2 + f_env * IP + f_env * IS)}{N}\right] S_C$$

2.
$$\frac{dE_c}{dt} = \beta_C \frac{(IC1 + IC2 + IB2 + f_env * IP + f_env * IS)}{N} S_C - (\rho_1 + \mu_C) E_C$$

3.
$$\frac{dI_{c1}}{dt} = \rho_1 E_C - (\mu_C + \sigma_1) I_{c1}$$

4.
$$\frac{dI_{c2}}{dt} = \sigma_1 I_{c1} + K_2 Q_C - (\gamma_3 + \mu_C + \varphi + \mathcal{D}_C) I_{c2}$$

5.
$$\frac{dR_c}{dt} = \alpha_{C1} \gamma_1 V_{C1+} \chi_1 \gamma_2 V_{C2} + \gamma_3 I_{C2} + \gamma_4 q_C - (\mu_C + \emptyset) R_C$$

6.
$$\frac{dV_{c1}}{dt} = \alpha S_C - (\alpha_{C1} \gamma_1 + \alpha_{C2} + \alpha_{C3} + \mu_C) V_{C1}$$

7.
$$\frac{dV_{c2}}{dt} = \alpha_{C2}V_{C1} - (\chi_1\gamma_2 + \mu_C + \chi_2)V_{C2}$$

8.
$$\frac{dQ_c}{dt} = \Delta_{QC} - [K_1 + K_2 + \mu_C]Q_C$$

9.
$$\frac{dq_c}{dt} = \varphi I_{C2} - (\gamma_4 + \mu_C) q_C$$

BUFFALO

1.
$$\frac{dS_B}{dt} = \Delta_B + \alpha_{B1}V_{B1} + \chi_BV_{C2} - [\alpha_B + \mu_B + \beta_C \frac{(IBI + IB2 + f_env * F * IC2)}{N}] S_B$$

2.
$$\frac{dE_B}{dt} = \beta_B \frac{(IB1 + IB2 + f_env * F * IC2)}{N} S_B - (\rho_2 + \mu_B) E_B$$

3.
$$\frac{dI_{B1}}{dt} = \rho_2 E_B - (\mu_B + \sigma_2) I_{B1}$$

4.
$$\frac{dI_{B2}}{dt} = \sigma_2 I_{B1} - (\mu_B + \mathcal{D}_B) I_{B2}$$

5.
$$\frac{dV_{B1}}{dt} = \alpha_{B}S_{B} - (\alpha_{B1} + \alpha_{B2} + \mu_{B})V_{B1} \gamma_{B2}V_{B1}$$

6.
$$\frac{dV_{B2}}{dt} = \alpha_{B2}V_{B1} - (\mu_B + \chi_B)V_{B2} \cdot \gamma_{B1}V_{B2}$$

7.
$$\frac{dR_B}{dt} = \gamma_B I_B - (\mu_B) R_{B+} \gamma_{B1} V_{B2+} \gamma_{B2} V_{B1}$$

SHEEP/GOAT

1.
$$\frac{dS_S}{dt} = \Delta_S + \delta_S V_S - (\beta_S \frac{(IS)}{N} + \mu_S + \alpha_S) S_S$$

2.
$$\frac{dI_s}{dt} = \beta_S \frac{(IS)}{N} S_S - (\mu_S + \mathcal{D}_S) I_S$$

3.
$$\frac{dV_s}{dt} = \alpha_s S_S - (\delta_S + \mu_S) V_{S-} \gamma_{S1} V_S$$

4.
$$\frac{dR_s}{dt} = \gamma_s I_s - (\mu_s) R_{s+} \gamma_{s1} V_s$$

PIG

1.
$$\frac{dS_p}{dt} = \Delta_p + \delta_p V_p - (\beta_p \frac{(IP)}{N} + \mu_p + \alpha_p) S_p$$

2.
$$\frac{dI_p}{dt} = \beta_P \frac{(IP)}{N} S_P - (\mu_P + \mathcal{D}_P) I_P$$

3.
$$\frac{dV_p}{dt} = \alpha_p S_p - (\delta_p + \mu_p) V_{p_-} \gamma_{p_1} V_p$$

4.
$$\frac{dR_p}{dt} = \gamma_P I_P - (\mu_P) R_{P+} \gamma_{P1} V_P$$

Why are differential equations: Differential equations describe how populations change continuously over time. They provide a precise framework for predicting outbreaks, evaluating interventions, and calculating the basic reproduction number (R₀). These equations are essential because they offer a powerful mathematical tool to describe, predict, and analyse how systems evolve, helping us understand natural phenomena, model complex processes, and solve real-world problems

Equilibrium point

(1) Disease– free equilibrium point (E_0) :

A stable state in an epidemic model where the number of infected individuals in a population is zero, and the disease is no longer circulating.

And Why? Study the DFE to know the disease Can be eradicated? And What conditions (like $R_0 < 1$) ensure elimination?

$$S_{C}^{*} == \frac{\Delta_{C} + \alpha_{C3} V_{C1} + \chi_{2} V_{C2} + \emptyset RC}{[\alpha_{C} + \mu_{C}]}, E_{C}^{*} = I_{C1}^{*} = I_{C2}^{*} = q_{C}^{*} = 0, R_{C}^{*} = \frac{\alpha_{C1} \gamma_{1} V_{C1} + \chi_{1} \gamma_{2} V_{C2}}{(\mu_{C} + \emptyset)},$$

$$V_{C1}^* = \frac{\alpha S_C}{(\alpha_{c1} \gamma_1 + \alpha_{c2} \alpha_{c3} \mu_c)'} V_{C2}^* = \frac{\alpha_{c2} V_{c1}}{(\chi_1 \gamma_2 + \mu_c + \chi_2)}$$

(2) Endemic equilibrium point (E_1) :

An endemic equilibrium point is a stable state in an epidemiological model where an infectious disease persists within a population at a consistent Why? This study is to understand What happens if the disease cannot be eradicated? And how many people/animals will remain infected long term?

$$S_{C}^{*} = \frac{\Delta_{c} + \alpha_{c3} V_{c1} + \chi_{2} V_{C2} + K_{1} Q_{C} + \emptyset RC}{\left[\alpha_{c} + \mu_{c} + \beta_{c} \frac{(I_{C1} + IC_{2} + IB_{2} + f_{env} * IP + f_{env} * IS)}{N}\right]'$$

$$E_{C}^{*} = \frac{\beta_{c} \frac{(I_{C1+}IC_{2+}IB_{2+}f_{-}env*IP_{+}f_{-}env*IS)_{sc}}{N}}{(\rho_{1}+\mu_{c})}, I_{C1}^{*} = \frac{\rho_{1}EC}{(\mu_{c}+\sigma_{1})'}, q_{C}^{*} = \frac{\varphi I_{C2}}{(\gamma_{4}+\mu_{c})'}$$

$$I_{C2} = \frac{\sigma_{1}I_{c1} + K_{2}Q_{C}}{(\gamma_{3} + \mu_{c} + \varphi I_{C2} + \mathcal{D}_{c})'} Q_{C} * = \frac{\Delta_{oc}}{[K_{1} + K_{2} + \mu_{C}]'} R_{C} * = \frac{\alpha_{c1}\gamma_{1}V_{C1} + \chi_{1}\gamma_{2}V_{C2} + \gamma_{3}I_{C2} + \gamma_{4}q_{C}}{(\mu_{c} + \emptyset)}$$

$$V_{C1*=} \frac{\alpha S_{C}}{(\alpha_{c1} \gamma_{1} + \alpha_{c2}, \alpha_{c3}, \mu_{c})'} V_{C2*} = \frac{\alpha_{c2} V_{c1}}{(\chi_{1} \gamma_{2} + \mu_{c} + \chi_{2})}$$

Basic Reproduction Number (R_0)

Basic reproduction number: It represents the average number of new infections generated by a single infected person in a completely susceptible population

Steps for finding the next generation matrix (NGM):

Step 1: Identify the infectious compartments (like Exposed "E" and infected "I" compartments)

Step 2: Write the equations for infected compartments

- F: Rate of new infections entering the compartment
- V: Rate of transfer into and out of the compartment (not including the new infections)

Step 3: Compute the Jacobian matrix (Jacobian with respect to E & I)

Step 4: Form the next generation matrix (NGM)

 $NGM = FV^{-1}$

Step 5: Compute R0, the basic reproduction number, which is the spectral radius (dominant eigenvalues) of k

$$R0 = \rho(K)$$

$$R_0 = \frac{S_C \beta_C \rho_1}{2 N (\mu_C + \rho_1) (D_C + \gamma_3 + \mu_C + \varphi)} + \frac{\sqrt{A}}{B}$$

Here, $A = S_C \beta_C \rho_1 (\mu_B + \rho_2 + \gamma_B) \left((4D_C F S_B f_{env} \beta_B \mu_C) + (4D_C F S_B f_{env} \beta_B \rho_1) + (4F S_B f_{env} \beta_B \gamma_3 \mu_C) + (4F S_B f_{env} \beta_B \gamma_3 \rho_1) + (4F S_B f_{env} \beta_B \mu_C^2) + (4F S_B f_{env} \beta_B \mu_C \rho_1) + (4F S_B f_{env} \beta_B \phi_L) + (4F S_B f_{env} \beta_B \phi_L) + (5C \beta_C \gamma_B \rho_1) + (5C \beta_C \mu_B \rho_1) + (5C \beta_C \rho_2 \rho_1) \right)$

$$\begin{split} \mathbf{B} &= 2N\left(D_{C}\gamma_{B}\mu_{C} + D_{C}\gamma_{B}\rho_{1} + D_{C}\mu_{B}\mu_{C} + D_{C}\mu_{B}\rho_{1} + D_{C}\mu_{C}\rho_{2} + D_{C}\rho_{2}\rho_{1} + \gamma_{3}\gamma_{B}\mu_{C} + \gamma_{3}\mu_{B}\rho_{1} + \gamma_{3}\mu_{B}\mu_{C} + \gamma_{B}\mu_{B}\rho_{1} + \gamma_{3}\mu_{C}\rho_{2} + \gamma_{B}\rho_{1}\rho_{1} + \gamma_{B}\mu_{C}\rho_{1} + \gamma_{B}\mu_{C}\rho_{1} + \gamma_{B}\mu_{C}\rho_{1} + \mu_{B}\mu_{C}\rho_{1} + \mu_{B}\mu_{C}\rho_{1} + \mu_{B}\mu_{C}\rho_{1} + \mu_{B}\mu_{C}\rho_{1} + \mu_{B}\mu_{C}\rho_{1} + \mu_{C}\rho_{2}\rho_{1} + \mu_{C}\rho_{2}\rho_{1} + \mu_{C}\rho_{2}\rho_{1} + \mu_{C}\rho_{2}\rho_{1}\rho_{1}\right) \end{split}$$

The basic reproduction number R_0 serves as a threshold indicator for the control of foot-and-mouth disease (FMD): when $R_0 < 1$, the epidemic dies out; when $R_0 > 1$, the epidemic persists. Control measures should aim to reduce R_0 below 1 to eliminate the disease.

Herd immunity threshold (HIT): Minimum proportion of animals that must be immune to stop spread: HIT= $1 - \frac{1}{R_0}$

Theorem 1: Non-Negativity

Goal: We aim to show that if all the initial conditions are non-negative, then all the state variables remain non-negative for all future time $t \ge 0$.

$$S_{C}(0), E_{C}(0), I_{C1}(0), I_{C2}(0), R_{C}(0), V_{C1}(0), V_{C2}(0), Q_{C}(0), q_{C}(0) \ge 0$$

Proof: We'll prove this for each differential equation using the standard approach:

$$\frac{d sc}{dt} = \Delta_{C} + \alpha_{C3} V_{C1} + \chi_{2} V_{C2} + \kappa_{1} Q_{C} + \varphi R_{C} - (\alpha_{c} + \mu_{C} + (\beta_{C} \text{ (infected) /N)}) * Sc$$

(Note: infected $I_{CI+}I_{C2+}I_{B2+}I_P+IS+F+P_{env}$) All terms are non-negative except the last, which subtracts. The depletion term is proportional to S_C , so if $S_C=0$, this term vanishes. So, $\frac{d \ SC}{dt} \ge 0$ when $S_C=0 \rightarrow$ no negative flow out of zero.

$$\frac{d \, EC}{dt}_{EC=0} = (\beta C (infected)/N)^* SC$$
, If $E_C=0$, the loss term vanishes. Production from $S_C \ge 0$ so $\frac{d \, EC}{dt} \ge 0$.

$$\frac{d IC1}{dt}_{IC1=0} = \rho_1 E_{C,A} \text{gain, if } I_{C1}=0, \text{ its depletion stops, } \rho_1 E_{C} \ge 0 \text{ produces it. So, } I_{C1}(t) \ge 0.$$

$$\frac{d \ IC2}{dt}_{IC2=0} = \sigma_1 \ I_{C1} + \kappa_2 \ Q_{C}$$
, Gains from I_{C1} and $Q_{C} \rightarrow$ both are ≥ 0 , Loss is proportional to $I_{C2} \rightarrow$ stops at 0. So, $I_{C2}(t) \geq 0$.

$$\frac{d RC}{dt}_{RC=0} = \alpha_{C1} \gamma_1 V_{C1} + \chi_1 \gamma_2 V_{C2} + \gamma_3 I_{C2} + \gamma_4 q_{C_3} \text{All inflow terms} \ge 0. \text{ So, } R_C \ge 0$$

$$\frac{\textit{d} \textit{VC1}}{\textit{d} t}_{VC1=0} = \alpha S_{C}, \text{ If } V_{C1} = 0, \text{ depletion is zero, Gain from } S_{C} \geq 0 \rightarrow V \text{ stays} \geq 0, \text{ Linear ODE with inflow, bounded outflow} \rightarrow \text{stays} \geq 0$$

$$\frac{d\,\textit{VC2}}{dt}_{\textit{VC2}=0} = \alpha_{\textit{C2}} V_{\textit{C1}}, \text{ If } \textit{VC2} = 0, \text{ depletion is zero, Gain from } S_{\textit{C}} \geq 0 \rightarrow V \text{ stays } \geq 0$$

$$\frac{d QC}{dt}_{QC=0} = \Delta_{QC} \ge 0$$

 $\frac{dqc}{dt}$ $_{Qc=0} = \Phi$ Ic₂ Inflow from I_{C2} ≥ 0 , depletion linear in qC, Since the depletion terms vanish at zero for each variable, the inflow terms are always non-negative. The system is well-posed, and all initial conditions are non-negative. By the non-negativity theorem, all state variables remain non-negative for all t>0.

Conclusion: The non-negativity theorem ensures that model solutions never become negative, keeping results biologically meaningful.

Theorem 2: Boundedness

Goal: The goal of proving boundedness is to demonstrate that the model's solutions remain finite and well-defined for all time, ensuring that the system does not diverge or exhibit unrealistic, unbounded behavior

The boundedness proof for the model is based on the provided system of differential equations.

Define Total Cattle Population: Let $NC(t)=S_C+E_C+I_{C1}+I_{C2}+R_C+V_{C1}+V_{C2}+Q_C+Q_C$

Add All the Equations, Now, compute: $\frac{d NC}{dt} = \sum$ all RHS terms

We will notice that many internal transfers cancel each other (e.g., a term leaving one compartment enters another). So, the only non-canceling terms (net sources and sinks) are: Birth/entry terms: $+\Delta_C$, $+\Delta_{QC}$, Natural death terms (all compartments lose μC times their values): Appears in each equation, Disease-related death: D_C (only affects one compartment)

$$\begin{aligned} & N_{C}(t) = \Delta_{C} + \alpha_{C3}V_{C1} + \chi_{2}V_{C2} + K_{1}Q_{C} &+ \emptyset RC - \alpha_{C}S_{C} - \beta_{C} \frac{(I_{C1+}I_{C2+}I_{B2+}I_{P}+IS+F+P_{env})}{N} \end{bmatrix} \\ & S_{C} + \beta_{C} \frac{(I_{C1+}I_{C2+}I_{B2+}I_{P}+IS+F+P_{env})}{N} S_{C} - \rho_{1}E_{C} + \rho_{1}E_{C} - \sigma_{1}I_{c1} + \sigma_{1}I_{c1} + K_{2}Q_{C} - \gamma_{3}I_{C2} - \varphi I_{C2} - (\mathcal{D}_{C})I_{C2} + \alpha_{C1}\gamma_{1}V_{C1} \\ &+ \chi_{1}\gamma_{2}V_{C2} + \gamma_{3}I_{C2} + \gamma_{4}q_{C} - \emptyset RC + \alpha_{C}S_{C} - \alpha_{C1}\gamma_{1}V_{C1} - \alpha_{C2}V_{C1} - \alpha_{C3}V_{C1} + \alpha_{C2}V_{C1} - \chi_{1}\gamma_{2}V_{C2} - \chi_{2}V_{C2} + \Delta_{QC} - K_{1}Q_{C} - K_{2}Q_{C} + \varphi I_{C2} - \gamma_{4}q_{C} - \mu_{C}S_{C} - E_{C}\mu_{C} - \mu_{C}I_{C1} - \mu_{C}I_{C2} - \mu_{C}R_{C} - \mu_{C}Q_{C} - \mu_{C}Q_{C} - \mu_{C}V_{C1} - \mu_{C}V_{C2} \\ &N_{C}(t)NC(t) = \Delta_{C} + \Delta_{OC} - \mu_{C}S_{C} - E_{C}\mu_{C} - \mu_{C}I_{C2} - \mu_{C}R_{C} - \mu_{C}Q_{C} - \mu_{C}Q_{C} - \mu_{C}V_{C1} - \mu_{C}V_{C2} - \mathcal{D}_{C}I_{C2} \end{aligned}$$

$$N_{C}(t) = \Delta_{C} + \Delta_{QC} - \mu_{C}(S_{C} + E_{C} + I_{C1} + I_{C2} + R_{C} + V_{C1} + V_{C2} + Q_{C} + Q_{C}) - \mathcal{D}_{C}I_{C2}$$

$$N_{C}(t) = \Delta_{C} + \Delta_{QC} - \mu_{C} N_{C} - \mathcal{D}_{C} I_{C2}$$

Therefore: $\frac{d NC}{dt} \le \Delta_C + \Delta_{QC} - \mu_C N_C$ (Why "\leq"? Because we ignore disease-related deaths (DC IC2\ge 0, which would make it smaller).

Step 4: Solve the Differential Inequality Let: $M = \Delta_C + \Delta_{QC}$ Then: $\frac{d NC}{dt} \leq M - \mu C NC$

This is a standard linear differential inequality. We compare this to: $\frac{dY}{dt} = M - \mu C y$

The solution is: $y(t) = (NC(0) - \frac{M}{\mu C}) e^{-\mu_C t} + \frac{M}{\mu C}$ (Boyce, W. E., & DiPrima, R. C., 2017).

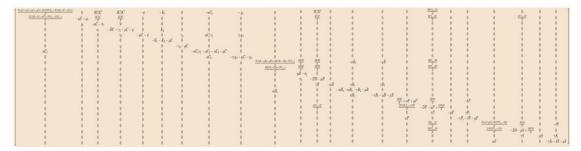
By the comparison theorem: $NC(t) \le y(t) \le \max(NC(0), \frac{M}{uC})$

Hence, the total population NC(t) is bounded above by: max (NC (0), $(\Delta C + \Delta QC)/\mu C)$), For all t≥0, the total cattle population NC(t) remains bounded above by a constant: $N_C(t) \leq max \ (N_C \ (0), \ (\Delta_C + \Delta_{QC})/\mu_C)$

The **boundedness theorem** ensures that the total population remains within a finite limit, reflecting real-world constraints and preventing the model from producing unbounded or unrealistic growth.

Theorem 3: Stability Analysis Around Equilibrium Points

Goal: To determine whether a model's equilibrium points are stable or unstable. Will the system return to equilibrium after a small disturbance (stable), or will it move away and behave differently (unstable).



The Jacobian J_0 at the disease-free equilibrium E_0 determines the local dynamics of the FMDV model. If all eigenvalues of J_0 have negative real parts, E_0 is locally asymptotically stable and the infection dies out. If all eigenvalues have positive real parts (as required in this theorem), E_0 is unstable, and small perturbations grow. If some eigenvalues are negative and others positive, E_0 is a saddle equilibrium, stable along certain directions and unstable along others

$$\begin{split} & [\lambda^4(\lambda + \mu_C)(\gamma_4 + \lambda + \mu_C)(\alpha_C\alpha_{C1}\gamma_1\gamma_2\chi_2 + \alpha_C\alpha_{C1}\gamma_1\lambda + \alpha_C\alpha_{C1}\gamma_1\mu_C + \alpha_C\alpha_{C1}\gamma_1\chi_2 + \alpha_C\alpha_{C1}\gamma_2\chi_2 + \alpha_C\alpha_{C2}\lambda + \alpha\alpha_C\alpha_{C2}\mu_C + \alpha\alpha_C\alpha_{C2}\psi \\ & + \alpha_C\gamma_2\lambda\chi_2 + \alpha_C\gamma_2\mu_C\chi_2 + \alpha_C\gamma_2\chi_2\psi + \alpha_C\lambda^2 + 2\alpha_C\lambda\mu_C + \alpha_C\lambda\chi_2 + \alpha_C\lambda\psi + \alpha_C\mu_C^2 + \alpha_C\mu_C\chi_2 + \alpha_C\mu_C\psi + \alpha_C\chi_2\psi + \alpha_{C1}\gamma_1\gamma_2\lambda\chi_2 + \alpha_{C1}\gamma_1\lambda_2 + 2\alpha_{C1}\gamma_1\lambda_2 + \alpha_{C1}\gamma_1\lambda_2 + \alpha_{C1}\gamma_1\lambda\psi + \alpha_{C1}\gamma_1\mu_C^2 + \alpha_{C1}\gamma_1\mu_C\chi_2 + \alpha_{C1}\gamma_1\mu_C\psi + \alpha_{C1}\gamma_1\chi_2\psi + \alpha_{C2}\gamma_2\lambda\chi_2 + \alpha_{C2}\gamma_2\mu_C\chi_2 + \alpha_{C2}\gamma_2\chi_2\psi + \alpha_{C2}\lambda^2 + 2\alpha_{C2}\lambda\mu_C + \alpha_{C2}\lambda\chi_2 + \alpha_{C2}\lambda\psi + \alpha_{C2}\mu_C\chi_2 + \alpha_{C2}\mu_C\chi_2 + \alpha_{C2}\mu_C\psi + \alpha_{C2}\chi_2\psi + \alpha_{C3}\gamma_2\lambda\chi_2 + \alpha_{C3}\gamma_2\mu_C\chi_2 + \alpha_{C3}\gamma_2\chi_2\psi + \alpha_{C3}\lambda\mu_C + \alpha_{C3}\lambda\chi_2 + \alpha_{C3}\lambda\psi + \alpha_{C3}\mu_C\chi_2 + \alpha_{C3}\mu_C\psi + \alpha_{C3}\chi_2\psi + \gamma_2\lambda^2\chi_2 + 2\gamma_2\lambda\mu_C\chi_2 + \alpha_{C3}\gamma_2\mu_C\chi_2 + \alpha_{C3}\gamma_2\mu_C\chi_2 + \alpha_{C3}\lambda\mu_C + \alpha_{C3}\lambda\mu_C + \alpha_{C3}\lambda\chi_2 + \alpha_{C3}\lambda\psi + \alpha_{C3}\mu_C\chi_2 + \alpha_{C3}\mu_C\psi + \alpha_{C3}\chi_2\psi + \gamma_2\lambda^2\chi_2 + 2\gamma_2\lambda\mu_C\chi_2 + \alpha_{C3}\mu_C\chi_2 + \alpha_{C3}\mu_C\psi + \alpha_{C3}\chi_2\psi + \gamma_2\lambda^2\chi_2 + \alpha_{C3}\lambda\mu_C + \alpha_{C3}\lambda\mu_C + \alpha_C\beta\lambda\mu_C\chi_2 + \alpha_C\beta\mu_C\chi_2 + \alpha_C\beta\mu_C\chi_$$

 $\begin{array}{l} \left[\lambda^{3}(\lambda + \mu_{B})(\alpha_{B}\alpha_{B2} \ \gamma_{B1} + \alpha_{B} \ \alpha_{B2} \ \lambda + \alpha_{B} \ \alpha_{B2} \ \mu_{B} + \alpha_{B} \ \gamma_{B1} \ \gamma_{B2} + \alpha_{B} \ \gamma_{B1} \ \lambda + \alpha_{B} \ \gamma_{B1} \ \mu_{B} + \alpha_{B} \ \gamma_{B2} \ \lambda + \alpha_{B} \ \gamma_{B2} \ \lambda + \alpha_{B} \ \gamma_{B2} \ \mu_{B} + \alpha_{B} \ \gamma_{B2} \ \mu_{B} + \alpha_{B} \ \gamma_{B2} \ \mu_{B} + \alpha_{B} \ \gamma_{B1} \ \lambda + \alpha_{B1} \ \gamma_{B1} \ \lambda + \alpha_{B1} \ \gamma_{B1} \ \mu_{B} + \alpha_{B1} \ \lambda^{2} + 2 \alpha_{B1} \ \lambda \ \mu_{B} \ + \alpha_{B1} \ \lambda \ \chi_{B} + \alpha_{B1} \ \mu_{B}^{2} + \alpha_{B1} \mu_{B}^{2} + \alpha_{B2} \ \lambda \ \mu_{B} + \alpha_{B2} \ \lambda \ \chi_{B} \ + \alpha_{B2} \ \mu_{B}^{2} + \alpha_{B2} \ \mu_{B}^{2} + \alpha_{B2} \ \mu_{B} \ \chi_{B} + \gamma_{B1} \ \gamma_{B2} \ \lambda + \gamma_{B1} \ \gamma_{B2} \ \mu_{B} + \gamma_{B1} \ \lambda^{2} + 2 \gamma_{B1} \lambda \mu_{B} + \gamma_{B1} \mu_{B}^{2} + \gamma_{B2} \lambda^{2} + 2 \gamma_{B2} \lambda \ \mu_{B} + \gamma_{B2} \ \lambda \ \chi_{B} + \gamma_{B2} \ \mu_{B}^{2} + \gamma_{B2} \mu_{B} \chi_{B} + \lambda^{3} + 3 \lambda^{2} \ \mu_{B} + \lambda^{2} \chi_{B} + 3 \lambda \mu_{B}^{2} + 2 \lambda \ \mu_{B} \chi_{B} + \mu_{B3} + \mu_{B3} \ \chi_{B} \right] = 0$

$$\begin{split} \left[\lambda\left(\lambda+\mu_{p}\right)\left(\alpha_{p}\gamma_{p_{1}}+\alpha_{p}\lambda+\alpha_{p}\,\mu_{p}+\gamma_{p_{1}}\lambda+\gamma_{p_{1}}\mu_{p}+\delta_{p}\lambda+\delta_{p}\mu_{p}+\lambda^{2}+2\lambda\mu_{p}+\mu_{p}^{2}\right)\right]=0\\ \left[\lambda\left(\lambda+\mu_{s}\right)\left(\alpha_{s}\gamma_{s_{1}}+\alpha_{s}\,\lambda+\alpha_{s}\,\mu_{s}+\gamma_{s_{1}}\lambda+\gamma_{s_{1}}\mu_{s}+\delta_{s}\,\lambda+\delta_{s}\,\mu_{s}+\lambda^{2}+2\lambda\mu_{s}+\mu_{s}^{2}\right)\right]=0 \end{split}$$

From above, we see that all the characteristic polynomials of the Jacobian matrix are positive. From this, we will obtain negative eigenvalues. If $R_0 < 1$, then the equilibrium point (E_0) is locally asymptotically stable and unstable if $R_0 > 1$.

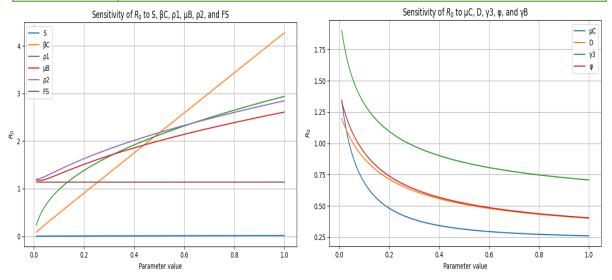
Sensitivity analysis

Sensitivity analysis on the key parameters to assess their influence on the R_0 value and determine which parameter has the greatest impact on the basic reproduction number.

$$\Delta_x^{R_0} = \frac{x}{R_0} * \frac{dR_0}{dx}$$

Parameter	β_{c}	$oldsymbol{eta}_B$	D_{C}	μ_B	$\mu_{\mathcal{C}}$	$ ho_1$	$ ho_2$	γ ₃	φ
description	0.27	0.27	0.01	0.0057	0.02	0.15	0.0021	0.143	0.03
Value	0.27	0.27	0.01	0.0057	0.02	0.15	0.0021	0.143	0.03
Sensitivity index	0.99	0.2830	-0.0297	0.0831	-0.1241	0.3324	0.0369	-0.4250	-0.0831

$\beta_{C_s}\beta_B$	Transmission rate of Susceptible Cattle and buffalo
$ ho_{1,} ho_{2}$	Progression rate from Exposed Cattle to Infected Cattle and buffalo respectively
D_{C} , μ_{B} , μ_{C}	Disease-induced death rate, natural death rates
γ3, φ	Recovery rate and isolation rate of cattle



Parameters with Positive Contribution to R₀: β C, ρ ₁, μ B, ρ ₂, and F S_B

Parameters with Negative Contribution to R_0 : μC , DC, γ_3 , and φ on R_0

Theorem 4: Mathematical analysis of FMD with optimal control

In this section, we analyze the optimality function of the SVVEIIR model using control variables. Our main goal is to reduce the number of infections with vaccination of susceptible animals and isolation of infected animals. The number of infections was minimized while keeping intervention costs under control.

$$\mathbf{J}(\mathbf{u}_1, \mathbf{u}_2) = \int_0^T \left[A_1 S_C + A_2 E_C + A_3 I_{C1} + A_4 I_{C2} + \frac{B_1}{2} \mathbf{u}_1^2(t) + \frac{B_2}{2} \mathbf{u}_2^2(t) \right] dt$$

where A_1 , A_2 , A_3 penalize the cost of minimizing the S_C , E_C , I_{C1} , I_{C2} and B_1 , B_2 are positive weight control costs. Pontryagin's Maximum Principle (PMP) was adopted to determine the optimal solution for the model.

Apply the Hamiltonian H to obtain the minimum value of PMP, which is given by

$$\begin{split} H &= A_{1}S_{C} + A_{2}E_{C} + A_{3}I_{C1} + A_{4}I_{C2} + \frac{B_{1}}{2}u_{1}^{2}(t) + \frac{B_{2}}{2}u_{2}^{2}(t) + \lambda_{S} \left\{ \Delta_{c} + \alpha_{c3}V_{c1} + \chi_{2}V_{C2} + K_{1}Q_{c} + \emptyset R_{C} - \left[\alpha_{c} + \mu_{c} + (1 - u_{1})\beta_{C} \frac{(IC1 + IC2 + f_{env}*F*IB2 + f_{env}*F*IP + f_{env}*F*IS)}{N} \right] S_{C} \right\} \\ &+ \lambda_{E} \left\{ (1 - u_{1})\beta_{C} \frac{(IC1 + IC2 + f_{env}*F*IB2 + f_{env}*F*IP + f_{env}*F*IS)}{N} S_{C} \right\} - (\rho_{1} + \mu_{c})E_{C} + \left\{ \lambda_{IC1} + \lambda_{E} \left\{ (1 - u_{1})\beta_{C} \frac{(IC1 + IC2 + f_{env}*F*IB2 + f_{env}*F*IP + f_{env}*F*IS)}{N} \right\} S_{C} \right\} - (\rho_{1} + \mu_{c})E_{C} + \left\{ \lambda_{IC1} + \lambda_{E} \left\{ (1 - u_{1})\beta_{C} \frac{(IC1 + IC2 + f_{env}*F*IB2 + f_{env}*F*IP + f_{env}*F*IS)}{N} \right\} S_{C} \right\} - (\rho_{1} + \mu_{c})E_{C} + \left\{ \lambda_{IC1} + \lambda_{E} \left\{ (1 - u_{1})\beta_{C} \frac{(IC1 + IC2 + f_{env}*F*IB2 + f_{env}*F*IS)}{N} \right\} S_{C} \right\} - (\rho_{1} + \mu_{c})E_{C} + \left\{ \lambda_{IC1} + \lambda_{IC1} \right\} S_{C} + \left\{ (1 - u_{1})\beta_{C} \frac{(IC1 + IC2 + f_{env}*F*IB2 + f_{env}*F*IS)}{N} \right\} S_{C} \right\} - (\rho_{1} + \mu_{C})E_{C} + \left\{ \lambda_{IC1} + \lambda_{IC1} \right\} S_{C} + \left\{ (1 - u_{1})\beta_{C} \frac{(IC1 + IC2 + f_{env}*F*IB2 + f_{env}*F*IS)}{N} \right\} S_{C} \right\} - (\rho_{1} + \mu_{C})E_{C} + \left\{ \lambda_{IC1} + \lambda_{IC1} + \lambda_{IC2} \left\{ \sigma_{1}I_{C1} + K_{2}Q_{C} - (\gamma_{3} + \mu_{C} + u_{2}\varphi + \mathcal{D}_{C})I_{C2} \right\} \right\} S_{C} \right\} - (\rho_{1} + \mu_{C})E_{C} + \left\{ \lambda_{IC1} + \lambda_{IC1} + \lambda_{IC2} \left\{ \sigma_{1}I_{C1} + K_{2}Q_{C} - (\gamma_{3} + \mu_{C} + u_{2}\varphi + \mathcal{D}_{C})I_{C2} \right\} \right\} S_{C} + \left\{ \lambda_{IC1} + \lambda_{IC2} \left\{ \sigma_{1}I_{C1} + K_{2}Q_{C} - (\gamma_{3} + \mu_{C} + u_{2}\varphi + \mathcal{D}_{C})I_{C2} \right\} \right\} S_{C} \right\} S_{C} + \left\{ \lambda_{IC1} + \lambda_{IC2} \left\{ \sigma_{1}I_{C1} + K_{2}Q_{C} - (\gamma_{3} + \mu_{C} + u_{2}\varphi + \mathcal{D}_{C})I_{C2} \right\} \right\} S_{C} + \left\{ \lambda_{IC1} + \lambda_{IC2} \left\{ \sigma_{1}I_{C1} + K_{2}Q_{C} - (\gamma_{1} + \mu_{C} + \mu_{C} \right\} S_{C} \right\} S_{C} + \left\{ \lambda_{IC1} + \lambda_{IC2} + \alpha_{C1} + \alpha_{C1}$$

Theorem. There exists an optimal control u_1 , u_2 and the corresponding solution $(S_C^*, V_{C1}^*, V_{C2}^*, E_C^*, I_{C1}^*, I_{C2}^*, R_C^*, Q_C^*, Q_C^*)$ that minimizes J. For the above statement to be true, there exist adjoint functions $\lambda S_C(t)$, $\lambda E_C(t)$, $\lambda I_{C1}(t)$, $\lambda I_{C2}(t)$, $\lambda R(t)$, $\lambda V_{C1}(t)$, $\lambda V_{C2}(t)$ such that Adjoint functions: $\lambda = -\frac{\partial H}{\partial x_1}$, $\lambda(t) = 0$

Taking u_1^* and u_2^* to be optimal control functions and S_C^* , E_C^* , I_{C1}^* , I_{C2}^* , R_C^* , V_{C1}^* ,

 V_{C2}^* , Q_C^* , q_C^* are corresponding optimal state variables of the control problem. Here use the Pontryagin Maximum Principle, which requires that the optimal controls maximize the Hamiltonian. The Solving for u_1 and u_2 :

$$\begin{aligned} \mathbf{u}_{1} &= \frac{(\lambda_{S} + \lambda_{E} - \lambda_{R})S_{C} - \lambda_{R} \{\alpha_{c_{1}} \gamma_{1} \mathbf{V}_{C_{1} + \chi_{1}} \gamma_{2} \mathbf{V}_{C_{2}}\} - \lambda_{V_{1}} \alpha \mathbf{S}_{C} - \lambda_{V_{2}} (\alpha_{c_{2}} \mathbf{V}_{c_{1}} \chi_{1} \gamma_{2})}{B_{1}} \\ \mathbf{u}_{2} &= \frac{\lambda_{IC_{2}} \varphi + \lambda_{R} \gamma_{3} I_{C_{2}} - \lambda_{R} \gamma_{4} q_{c} + \lambda_{q} \varphi I_{C_{2}}}{B_{2}} \end{aligned}$$

Since the controls are constrained by $0 \le u_1 \le u$ max 1 and $0 \le u_2 \le u$ max 2, we apply the projection condition:

$$\begin{split} \mathbf{u}_{1}^{*} &= \max \; (0, \, \min \; (u_{1}^{\max}, \\ &\frac{(\lambda_{S} + \lambda_{E} - \lambda_{R}) s_{C} - \lambda_{R} \{ \alpha_{c_{1}} \gamma_{1} \mathbf{V}_{C1 +} \; \chi_{1} \gamma_{2} \mathbf{V}_{C2} \} - \lambda_{V1} \, \alpha \mathbf{S}_{C}^{-} \; \lambda_{V2} \; (\alpha_{c_{2}} \mathbf{V}_{c_{1}} \; \; \chi_{1} \gamma_{2})}{B_{1}})), \\ \mathbf{u}_{2}^{*} &= \max \; (0, \, \min \; (u_{2}^{\max}, \, \frac{\lambda_{IC2} \; \varphi + \lambda_{R} \, \gamma_{3} I_{C2} - \lambda_{R} \, \gamma_{4} q_{c} + \lambda_{q} \, \varphi I_{C2}}{B_{2}})) \end{split}$$

Conclusion:

- \checkmark u₁ represents the optimal level of intervention that is **Vaccination** that **reduces the** susceptible population S_C moving into infected states.
- ✓ u₂ represents the **Isolation of symptomatic infected animals** those spreads the FMDV to other susceptible animals and also **reduce FMDV spreads in the environment**.
- ✓ This could include vaccination and isolation measures. Again, it ensures that the control is within the allowed range.

Purpose of Proving the Theorems

Theorem 1: Positive Invariance

Conclusion: The non-negativity theorem ensures that model solutions never become negative, keeping results biologically meaningful.

$$S_{C}(t), E_{C}(t), I_{C1}(t), I_{C2}(t), R_{C}(t), V_{C1}(t), V_{C2}(t), Q_{C}(t), q_{C}(t) \ge 0, \forall t \ge 0$$

Theorem 2: Boundness

The **boundedness theorem** ensures that the total population remains within a finite limit, reflecting real-world constraints and preventing the model from producing unbounded or unrealistic growth.

$$N_{C}(t) \le \max(N_{C}(0), (\Delta_{C} + \Delta_{QC})/\mu_{C})$$

Theorem 3: The Jacobian matrix J_0 at the Disease-Free Equilibrium (E_0) , determines whether FMDV will die out or persist in the population. Stability analysis is used to assess whether the system will return to its equilibrium state over time. A stable disease-free equilibrium suggests that the infection will eventually die out, while an endemic equilibrium indicates that the disease is likely to persist and spread within the population.

Theorem 4: Optimal control problem of the system

The number of infections was minimized while keeping intervention costs under control. The optimal control strategy cuts infections and costs by blending Isolation of infected animals and vaccination into the most effective shield against disease. Using Pontryagin's Maximum Principle, the model guarantees solutions that are both mathematically sound and cost-efficient. This framework equips policymakers with a powerful toolkit to compare scenarios and choose the ultimate mix of interventions.

Data collection

1. Total population (N_C) : District-wise data

District Name	Cattle	Buffalo	Goat	Sheep	Pig	Reference
Bengaluru Rural	170722	16924	95156	118788	14131	20th 1:
Ramanagara	287502	19644	150130	127988	7102	20 th livestock census

- 2. Overall, the mean [95% Confidence Interval (CI)] durations of disease phases in cattle (Yadav et al., 2019) were estimated to be: Incubation phase = **3.6** days (2.7–4.8), Latent phase = **1.5** days (1.1–2.1), Subclinical infectious phase = **2.2** days (1.5–3.5), Clinical infectious phase = **8.5** days (6.2–11.6), and Total infectious phase = **10.8** days (8.2–14.2)
- 3. (Bradhurst et al., 2015) $\frac{1}{\mu}$ = Average natural lifespan of the host, (μ = Natural death rate)

Hosts	Lifespan (min)	Lifespan (max)	Average	Natural death rate
Cattle	15	20	17.5	0.0571
Buffalo	15	20	17.5	0.0571
Pig	10	15	12.5	0.0800
Sheep/goat	12	15	13.5	0.0741

- By using pert the natural death range is
- for cattle and buffalo (0.05, 0.0541, 0.0583, 0.0625, 0.0666),
- for pig (0.1, 0.0916, 0.0833, 0.075, 0.066) and
- for sheep/goat is (0.0833, 0.0791, 0.075, 0.0708, 0.066)

- 4. Progression rate from Exposed Cattle to Asymptomatic Cattle (ρ)
 - $\frac{1}{\sigma}$ = average duration of latent period, (σ = progression rate from exposed to infectious), latent phase = **1.5** days (1.1–2.1), Let it be 1.5

Progression Rate (%) =
$$(\frac{1}{\text{Latent Period}}) = (\frac{1}{1.5}) = 0.66$$

5. Progression rate from Asymptomatic Cattle to symptomatic Cattle (σ), Incubation 3.6 – latent 1.5 =2.1 average subclinical or asymptomatic infectious period

Progression Rate (%) =
$$(\frac{1}{\text{Incubation - latent days}}) = (\frac{1}{2.1}) = 0.476$$

6. Rate of Loss of Immunity (\emptyset) = $\frac{1}{D}$, D = **duration of immunity** (how long immunity lasts, in days/months): For foot and mouth disease, it's about 6 months or 180 days based on this

$$\emptyset = \frac{1}{180} \approx 0.0056$$

7. The rate at which vaccinated cattle become susceptible = $\frac{1}{\text{duration of immunity for 3 or less vaccination round}}$

$$=\frac{1}{180} \approx 0.0056$$

8. Recovery rate(γ), $\frac{1}{\gamma}$ = average duration of the infectious period. Let the duration of the infectious period be an average of 7 days

Recovery rate =
$$1/7 = 0.143$$

9. Transmission rate: From the Risk map, we used R_0 for the districts of Bangalore Rural and Ramanagara, Prevalence data from the (Ravindra et al., 2016)

• Transmission rate:

District	\mathbf{R}_0	Recovery rate (γ)	prevalence	Non-immunnity	Transmission rate $\beta = R_0 * \gamma^* \text{ prevalence * (1- immunity)}$
Bangalore Rural	1.1775	0.143	14	0.81	1.9095
Ramanagara	1.3505	0.143	17	0.90	2.9548

10. Exposed population (E):

$$E = \beta_{C}(N - V_{C}.(VE))$$

State	Vaccination Rounds Covered	Average	Average (Post)	\mathbf{s}_0	S _{inf}	Vaccine Efficacy
		(Pre)				
Karnataka	6	72.63	92.466667	0.273	0.0753	0.724

Transmission rate, let it be 1.9095 and 2.9548, Time let it be 6 months, 0.724

E = Transmission rate (Total population - Vaccination * Vaccination efficacy) - symptomatic infected

For Bangalore Rural is, E = 1.9095 (170722 - (32429 * 0.724 * 6)) - 699 = 4327.

- 11. Asymptomatic Infected cattle (I_1) : Exposed * rate of exposed population change to asymptomatically affected
- Infected population (asymptomatic) = 0
- 12. Infected symptomatic cattle (I₂): Bangalore rural 699, Ramanagara 1075

13. Recovered (R) = Cumulative symptomatic cases* recovery rate + isolated animals * recovery rate of isolated animals

Bangalore rural: Recovered from the symptomatically recovered animals =699 * 0.143 = 99, Recovered from the isolated animals =350*0.143 = 50, Total **Recovered animals** =99+50=149

Ramanagara: Recovered from the symptomatically recovered animals = 1075 * 0.143 = 154, Recovered from the isolated animals = 537 * 0.143 = 77, Total Recovered animals = 153 + 77 = 230

14. Isolation of animals, let it be 50% that is **350** for Bangalore rural and 537 for Ramanagara

The total symptomatically infected in Bangalore rural is (699-350-150=199)

The total symptomatically infected in Ramanagara is (1075-537-230=306)

15. Susceptible = Total Number of animals – exposed – asymptomatic – symptomatic – recovered – vaccinated – isolated animals

Bangalore rural Susceptible = 170722- 4327-0-199-149-32429-350 = **133268**

Ramanagara Susceptible = 287502- 30024-0-306-230-28504-537 = **227895**

16. Vaccination rate = $\frac{Vaccinated\ animals}{Total\ animals\ at\ the\ starting}$

For cattle = 229332 / 287502 = 0.7976

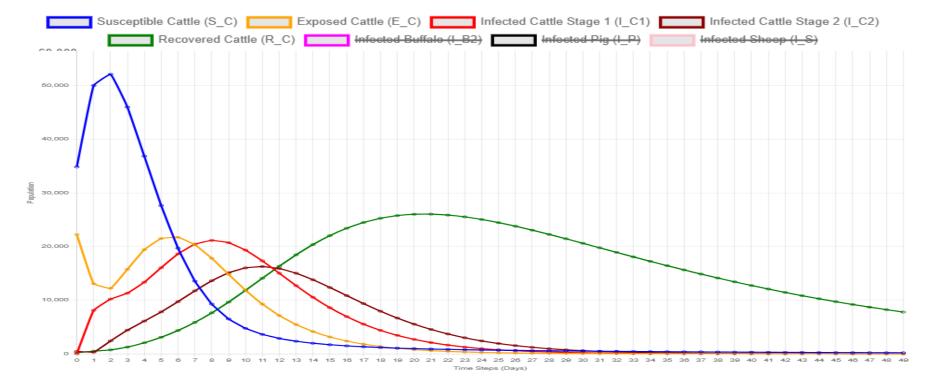
For buffalo = 15669/19644 = 0.7976

Numerical Simulation

Ramanagara district Scenario-III

R_o Value: 1.0758

Data collected from the 20^{th} live stock census and the infection and vaccination data from the NADRES V2, Compartmental data: Susceptible Cattle (S_C): 34850, Exposed Cattle (E_C): 22245, Infected Cattle Stage 1 (I_{C1}): 1, Infected Cattle Stage 2 (I_{C2}):449, Recovered Cattle (R_C): 208, Vaccination less than 3 doses(V_{C1}):229330, Vaccination more doses (>3) (V_{C2}): 2, Isolated infected Cattle (I_{C1}): 416, Susceptible Buffalo (I_{C2}): 4294, Exposed Buffalo (I_{C2}): 1554, Temperature (I_{C2}): 25, Humidity (I_{C2}): 416, Ph. 7



Days	Key Events	Meaning	
Rapid Onset (Days 0-10)	Blue Line (Susceptible Cattle) drops fast. Red Line (Infected Cattle 1).	Explosive Outbreak: The disease is spreading very quickly. Most healthy cattle are now infected.	
Peak Infection (Days 7-20)	Red Line (Infected Cattle 1) and Maroon Line (Infected Cattle 2) hit their highest points and start to fall. Green Line (Recovered Cattle) is rising fast.	Epidemic Peak: The maximum number of cattle are sick. Infections are slowing down because animals are starting to recover and become immune.	
Decline & Resolution (Days 20-48)	Red and Maroon Lines (Infected Animals) fall close to zero. Green Line (Recovered Cattle) remains high.	Outbreak Over: Implemented isolation of infected animals and vaccination. The epidemic has burned out, leaving most of the initial population immune.	

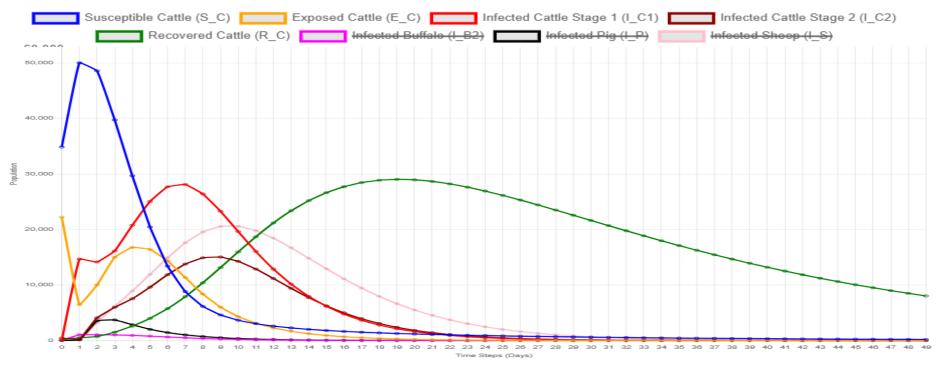
- ✓ β_C (Cattle Transmission Rate) 2.95,
- β _B (Buffalo Transmission Rate)0.30,
- \checkmark ρ 1 (Cattle Incubation Rate): 0.66,
- ρ_2 (Buffalo Incubation Rate): **0.66**,
- \checkmark γ_3 (Cattle Recovery Rate): 0.143,
- γ _B (Buffalo Recovery Rate): 0.143,
- \checkmark µ_C (Cattle Natural Mortality): 0.0571,
- μ_B (Buffalo Natural Mortality):0.0571,
- ✓ D_C (Cattle Disease Death Rate): 0.00858,
- ✓ D_B (Buffalo Disease Death Rate): 0.00858,
- α_B (Buffalo Vaccination Rate): 0.7976,
- \checkmark α_P (Pig Vaccination Rate): 0.06,
- \checkmark ϕ (Isolation Rate) 0.173,
- ✓ F (Environmental Factor): 1,
- ✓ T_opt (Optimal Temperature): 25,
- ✓ pH_opt (Optimal pH): 7.4

Numerical Simulation

Ramanagara district Scenario-IV

Ro Value: 0.74

Data collected from the 20^{th} live stock census and the infection and vaccination data from the NADRES V2, Compartmental data: Susceptible Cattle (S_C): 34850, Exposed Cattle (E_C): 22245, Infected Cattle Stage 1 (I_{C1}): 1, Infected Cattle Stage 2 (I_{C2}):449, Recovered Cattle (R_C): 208, Vaccination less than 3 doses(V_{C1}):229330, Vaccination more doses (>3) (V_{C2}): 2, Isolated infected Cattle (I_{C1}): 416, Susceptible Buffalo (I_{C2}): 4294, Exposed Buffalo (I_{C2}): 1554, Temperature (I_{C2}): 25, Humidity (I_{C2}): 416, Ph. 7



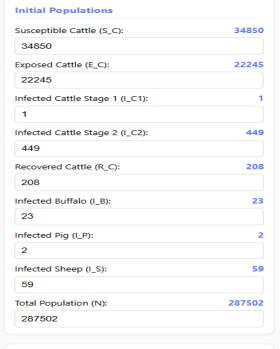
Feature	Observation from Graph	Interpretation (Effect of Control)
Outbreak Severity	Infected Cattle (Red/Maroon) peaks are lower (around 22,000) and less sharp.	Vaccination reduced the number of animals that got sick, successfully suppressing the total size of the epidemic.
Speed of Spread	Infected Cattle peaks are delayed (around Days 9-12).	Isolation/Lower R0 slowed the infection rate, meaning the outbreak took longer to reach its peak.
Exposure Role	Exposed Cattle (Orange) line is highly visible and peaks early.	Effective control measures like vaccination and isolation may delay the progression from being exposed to becoming fully infectious.

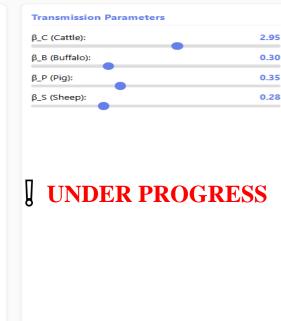
- β_C (Cattle Transmission Rate)2.95,
- \checkmark β_B (Buffalo Transmission Rate)0.30,
- ρ_1 (Cattle Incubation Rate): 0.66,
- ρ_2 (Buffalo Incubation Rate): 0.66,
- \checkmark γ 3 (Cattle Recovery Rate): 0.143,
- \checkmark γ_B (Buffalo Recovery Rate): 0.143,
- μ_C (Cattle Natural Mortality):0.0571,
- μ_B (Buffalo Natural Mortality):0.0571,
- D_C (Cattle Disease Death Rate):0.00858,
- D_B (Buffalo Disease Death Rate):0.00858,
- ✓ α_B (Buffalo Vaccination Rate): 0.92,
- \checkmark α_P (Pig Vaccination Rate): **0.06**,
- \checkmark ϕ (Isolation Rate) 0.259,
- T_opt (Optimal Temperature): 25,
- ✓ pH_opt (Optimal pH): 7.4,

FMD Simulation (Epidemic Calculator) – Scenario I

The simulation data is obtained from the 20th Livestock Census (2019) and the NADRES database, with model parameters calculated using the formulas provided in the previous slides.







Environmental Parameters Temperature (°C): 25 Humidity (%): 60 pH: 7.0 F (Environmental Factor): 1.0

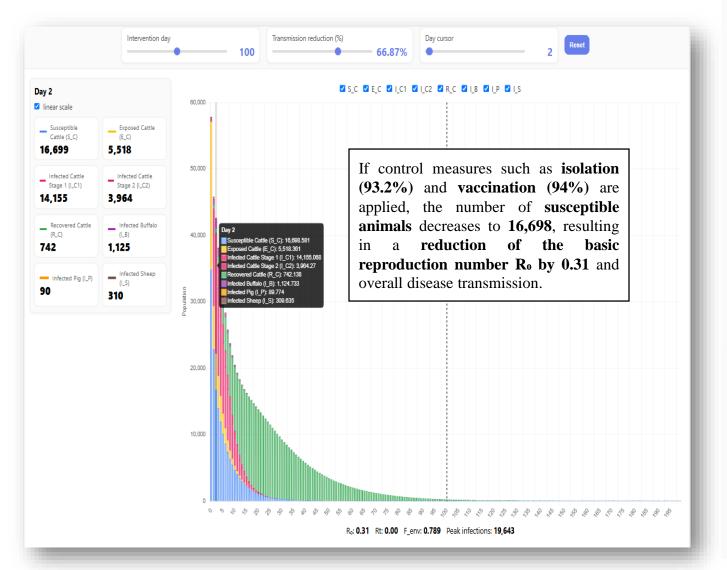
Mortality Parameters	
μ_C (Cattle):	0.0571
μ_B (Buffalo):	0.0571
μ_P (Pig):	0.0800
μ_S (Sheep):	0.0100
D_C (Cattle Disease Death):	0.0086
D_B (Buffalo Disease Death):	0.0086

Data Used for the Simulation

Control Parameters	
φ (Isolation Rate):	0.1420
α_C (Cattle Vaccination):	0.7900
α_B (Buffalo Vaccination):	0.7900
α_P (Pig Vaccination):	0.0600
α_S (Sheep Vaccination):	0.0400

FMD Simulation (Epidemic Calculator) – Scenario II

The simulation data is obtained from the 20th Livestock Census (2019) and the NADRES database, with model parameters calculated using the formulas provided in the previous slides.







Environmental Parameters Temperature (°C): 25 Humidity (%): 60 pH: 7.0 F (Environmental Factor): 1.0

Data Used for the Simulation

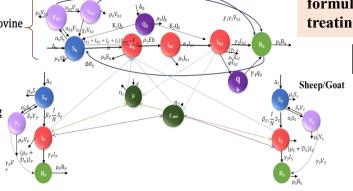
0.0571	ı_C (Cattle):
0.0571	ц_В (Buffalo):
0.08	ı_P (Pig):
0.01	ı_S (Sheep):
0.00858	D_C (Cattle Disease Death):
(D_C (Cattle Disease Death): D_B (Buffalo Disease Death):

φ (Isolation Rate):	0.9320
α_C (Cattle Vaccination):	0.9400
α_B (Buffalo Vaccination):	0.9400
α_P (Pig Vaccination):	0.9200
α_S (Sheep Vaccination):	0.9300

Schematic Diagram of SEIRVQq (Bovine), SVIR (Pig), SVIR (Sheep/Goat), Carrier Fomites (F), Environment (f_env), FMD **Mathematical Modeling**

As FMD vaccination is only available for bovines, the model is formulated using the aggregated 'bovine' population instead of treating cattle and buffalo separately

The boundedness and non-negativity theorems are proved for the model, demonstrating that all state variables remain non-negative and confined within biologically feasible domains for all.



Model Parameterization

Sl.No	Parameter	Description			
1-5	$S_b, E_b, I_{b1}, \ I_{b2}, R_b$	Susceptible, Latent, Sub-clinical infectious, clinical infectious and Recovered population of bovine respectively			
6-7	V_{b1} , V_{b2}	Vaccinated fewer rounds, Vaccinated more rounds, population of bovine, respectively			
8-10	F, f_env, d	Carrier Fomites and Environment, disinfection			
11	Δ_b	Recruitment rate of bovine population respectively			
12	μ_b	Death rate of bovine respectively			
13	σ_{I}	Progression rate from Asymptomatic bovine to symptomatic bovine			
14	Ø	Rate of loss of immunity			
15	α_{b}	Vaccination rate for bovine			
16	φ	Isolated infected bovine			
17-21	α _{b1} γ ₁ , χ ₁ γ ₂ , γ ₃ , γ ₄ , χ ₂ ,	Vaccinated fewer rounds, Vaccinated more rounds, Infectious bovine recovery rate, Isolated bovine Recovery rate, Vaccination Waning rate, Respectively			
22	\mathcal{D}_{b} ,	Disease Induced mortality rate			
23	η_1	Fomites pathogen decay rate			
24	η_2	Environment pathogen decay rate			
25	β_b	Transmission rate of Susceptible bovine			
26	$ ho_1$	Progression rate from Exposed Cattle to Infected Cattle			

R₀ Estimation

		(20th		Takina ta di Garan			Estimated				20st-	
		livestock	Environment	Estimated from Serosurveillance			Estimated from				20th livestock	
		census data	parameters	and vaccination			Seromonitori				census	
		Vaccination data)		data			ng data				data	
		Gata)										
States	F	Susceptible Bovine	fenv	Betta	Rho 1	Db	Gamma	Mu b	Sigma	sci	Total population	R0
Andaman & Nicobar	0.02	72696	0.049279569	5.482389418	0.1333333	0.003	0.2	0.01006	0.0725406	0.004	145392	0.040577272
Andhra Pradesh*	0.4	2558980	0.969574083	3.444471778	0.1333333	0.003	0.88	0.01006	0.0725406	0.004	35498325	1.171710704
Arunachal Pradesh	0.18	291727	0.006776377	1.239063245	0.1333333	0.0082269	0.75	0.01006	0.0725406	0.004	696264	0.007797977
Assam	0.18	10087248	0.030711705	4.652653407	0.1333333	1.983E-05	0.75	0.01006	0.0725406	0.004	16159656	0.197894544
Bihar	0.205	11952388	0.559920785	5.618202124	0.1333333	0.003	0.75	0.01006	0.0725406	0.004	36495801	2.602311993
Chandigarh	0.02	6706	0.29315957	0.541556358	0.1333333	0.003	0.75	0.01006	0.0725406	0.004	26753	0.009807054
Chhattisgarh	0.8	1233275	0.564388792	21.70756815	0.1333333	0.003	0.75	0.01006	0.0725406	0.004	10533696	14.13931789
Delhi	0.02	239947	0.107948921	1.15399462	0.1333333	0.003	0.04	0.01006	0.0725406	0.004	275190	0.055543916
Diu and daman	0.02	30868	0.373364635	1.15399462	0.1333333	0.003	0.09	0.01006	0.0725406	0.004	51634	0.097285177
Goa*	0.8	44730	0.201802716	1.656944174	0.1333333	0.003	0.01	0.01006	0.0725406	0.004	132388	3.744862217
Gujarat	0.8	535644	0.416009652	5.325217821	0.1333333	0.0112015	0.75	0.01006	0.0725406	0.004	22424247	0.521148852
Haryana*	0.8	2776873	0.227084901	0.581834922	0 1333333	0.0018366	0.02	0.01006	0.0725406	0.004	6805264	1.466697609
Himachal Pradesh	0.8	1497339	0.132619106	Under	Durifi	cation	0.75	0.01006	0.0725406	0.004	4376817	0.868441056
Jammu and Kashmir	0.02	1080969	0.095826772	- Olluci	I ulli	cation	0.75	0.01006	0.0725406	0.004	8209005	0.019025105
Jharkhand	0.205	9395332	0.541648778	9.514074154	0.1333333	0.0222557	0.75	0.01006	0.0725406	0.004	23612694	5.168382837
Karnataka*	0.4	2506583	0.042061442	6.829163317	0.1333333	0.0036703	0.75	0.01006	0.0725406	0.004	28997520	0.122368571
Kerala	0.4	959846	0.41726601	8.004002378	0.1333333	0.0129187	0.75	0.01006	0.0725406	0.004	2908006	5.427214304
Ladakh	0.02	84201	2.88051E-25	1.15399462	0.1333333	0.003	0.75	0.01006	0.0725406	0.004	90000	7.66386E-26
Lakshadweep	0.02	1024	1.036640569	1.15399462	0.1333333	0.003	0.75	0.01006	0.0725406	0.004	45697	0.006606083
Madhya Pradesh	0.8	6910903	0.421329323	5.21843904	0.1333333	0.003	0.75	0.01006	0.0725406	0.004	40146109	3.730898171
Maharashtra	0.8	4010255	0.021529604	13.93042382	0.1333333	0.0068325	0.75	0.01006	0.0725406	0.004	32650498	0.362957451
Manipur	0.18	128439	0.01035657	4.652653407	0.1333333	0.0225788	0.75	0.01006	0.0725406	0.004	540575	0.02533757
M eghalaya	0.18	426521	0.017852858	7.204645576	0.1333333	0.003	0.75	0.01006	0.0725406	0.004	1476140	0.082428144
M izoram	0.18	44233	0.018022248	4.652653407	0.1333333	0.003	0.75	0.01006	0.0725406	0.004	355580	0.023134548
Nagaland	0.18	82976	0.409823529	15.03082249	0.1333333	0.003	0.75	0.01006	0.0725406	0.004	530608	2.136488755
Odisha	0.205	4168414	1.89396E-30	4.852043522	0.1333333	0.0008396	0.75	0.01006	0.0725406	0.004	18170057	5.32646E-30
Puducherry	0.02	74379	0.629190429	1.369711202	0.1333333	0.003	0.26	0.01006	0.0725406	0.004	132222	0.137724899
Punjab	0.8	5977067	0.114054893	2.450597842	0.1333333	0.0094026	0.75	0.01006	0.0725406	0.004	6542885	2.515091822
Rajasthan	0.8	25174143	0.008436942	2.632526062	0.1333333	0.000719	0.75	0.01006	0.0725406	0.004	56529814	0.097522884
Sikkim	0.18	138141	0.024940995	4.652653407	0.1333333	0.0043434	0.75	0.01006	0.0725406	0.004	268996	0.132150227
Tamilnadu	0.4	1510527	0.011501148	4.375617606	0.1333333	0.0001324	0.75	0.01006	0.0725406	0.004	24493464	0.015301337
Telangana*	0.4	1434545	1.8206E-30	1.384890199	0.1333333	0.003	0.75	0.01006	0.0725406	0.004	11917048	1.49591E-30
Tripura	0.02	363710	0.795790317	15.03082249	0.1333333	0.0021996	0.75	0.01006	0.0725406	0.004	697336	1.537565101
Uttar Pradesh*	0.8	34773917	0.071490681	4.928680728	0.1333333	0.0001697	0.75	0.01006	0.0725406	0.004	65256529	1.851434976
Uttarakhand	0.02	1531638	0.071490681	15.03082249	0.1333333	0.0002612	0.06	0.01006	0.0725406	0.004	4392686	0.16669051
West Bengal	0.205	7669880	0.731680707	5.910376911	0.1333333	0.003	0.13	0.01006	0.0725406	0.004	34794476	3.28499189
Total											496289372	
Total											496289372	

'Values are still under purification

Bovine

1.	$\frac{dS_b}{dt} = \Delta_b$	$+ \alpha_{b3}V_{b1} + \chi_2V_{b2} +$	$+ K_1 Q_b + \emptyset Rb - [\alpha_b + \mu_b - \alpha_b]$	+
	$_{R}^{I}$ (Ib1 -	+ Ib2 + Is + IP) *f	$f_{\underline{env} *F}$ 1 s	
	ρ_b	N	J ა _b	

Model Formulation

2.
$$\frac{dE_b}{dt} = \beta_b \frac{(Ib1 + Ib2 + f_env * IP + f_env * IS)}{N} S_b - (\rho_1 + \mu_b) E_b$$

3.
$$\frac{dI_{b1}}{dt} = \rho_1 E_b - (\mu_b + \sigma_1) I_{b1}$$

4.
$$\frac{dI_{b2}}{dt} = \sigma_1 I_{b1} + K_2 Q_b - (\gamma_3 + \mu_b + \varphi + \mathcal{D}_b) I_{b2}$$

5.
$$\frac{dR_b}{dt} = \alpha_{b1} \gamma_1 V_{b1} + \chi_1 \gamma_2 V_{b2} + \gamma_3 I_{b2} + \gamma_4 q_b - (\mu_b + \emptyset) Rb$$

6.
$$\frac{dV_{b1}}{dt} = \alpha S_b - (\alpha_{b1} \gamma_1 + \alpha_{b2} + \alpha_{b3} + \mu_b) V_{b1}$$

7.
$$\frac{dV_{b2}}{dt} = \alpha_{b2}V_{b1} - (\chi_1\gamma_2 + \mu_b + \chi_2)V_{b2}$$

8.
$$\frac{dQ_b}{dt} = \Delta_{Qb} - [K_1 + K_2 + \mu_b]Q_b$$

9.	$\frac{dq_b}{dt} = \varphi I_{b2} - (\gamma_4 + \mu_b) q_b$
----	---

Integrated Disease Surveillance and Sampling Approaches for Early Warning

Types of Surveillance

outbreaks

method

Not sample based only opportunistic model

Host factors acts as signal/source early detection of

etc by risk based probability sampling method

Sampling Method

Convenience / Opportunistic sampling



Purposive sampling



https://nive di.res.in/PD DES/



https://nivedi.re s.in/nicra/form i ntro.php

surveillance

Surveillance

Surveillance

Surveillance

Surveillance

systematic or regular recording of cases of a designated disease or a group of diseases by probability sampling

• Risk other than host such as Ecological, environment, trade

Non-invasive method of surveillance that involves the collection of environmental samples by advanced probability sampling methods

•System of disease monitoring in which data are collected from selected reporting sites (called sentinel sites) such as specific hospitals, laboratories, or geographic locations. These sites are chosen purposively to represent a larger population and provide high-quality, continuous information on trends of specific diseases.

Probability sampling (Random / 2 stage Stratified / Systematic)

Risk-based

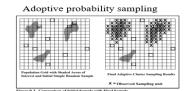
probability sampling

Environmental probability sampling

Sentinel site sampling (Purposive)



https://www.nivedi.res.in/Nadres v2/





NADRES V2

Sentinel Surveillance model

Sampling Plan tab under NADRES Website

ICARNIVED

National Animal Disease Referral Expert System (NADRES v2)





Al-Enabled Redefining Livestock Disease Risk Forewarn

14/03/2025 15:43:04

Home About Us Risk Factors Analytics Livestock Diseases Post Prediction Validation Contact

NADEN Centre Login

Admin Lo

Forewarning of Livestock Diseases March-2025 PRADESHJHARKHA

ND.KARNATAKA.KE
RALA,MANIPUR,ME
GHALAYA,ODISHA,
RAJASTHAN,TRIPU
RA,WEST BENGAL
AND

LAKSHADWEEP are predicted for likely occurrence of Foot and Mouth Disease in May-

ANDHRA
PRADESH,ASSAM,G
UJARAT,JHARKHAN
D,KARNATAKA,KER
ALA,MAHARASHTR
A,MANIPUR,NAGAL
AND,ODISHA,PUNJ

Sampling Plan for Strengthening Livestock Disease Surveillance

The early detection of disease epidemics reduces the chances of introduction into new locales, minimizes the number of infections, and reduces the financial impact. The effectiveness of disease control measures often depends on early detection of disease incidence or outbreak and significantly reduces the cost associated with disease eradication and devastation of livestock.

Passive surveillance methods are the voluntary reporting of cases by primary care providers and farmers to the veterinary health system whereas active surveillance of livestock diseases involves periodic sampling by veterinary health officials. Active surveillance methods are often more effective for targeted objectives than passive methods. Developing an optimal sampling strategy for surveillance of livestock diseases is important for early detection and effective resource utilization.

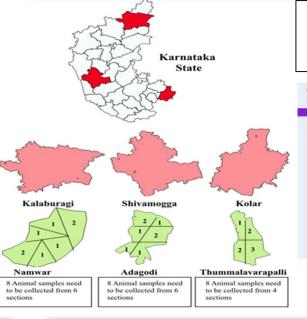
- FMD Sero-Monitoring
- 1. Round I (2020)
 2. Round II (2021)
- 3. FMD-Seromonitoring Round III (2022) complete plan with SOP

Download Statewise Seromonitoring Sampling Plan-2022 (Round-III)

Select State



Schematic representation of Two-stage stratified random sampling and formula



LH-DCP Portal : Cloud-Based Digital Platform for Active Livestock Disease Surveillance and Control

https://nivedi.res.in/Nadres_v2/lhdcp/index



Home Page

Disease Dashboard

Data Requirements Specifications (DRS)

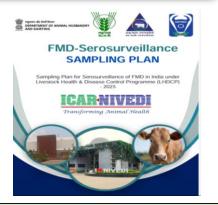
DRS of Brucellosis Seromonitoring Phase III - 2023							Results			Brucellosis Seromonitoring Phase IV - 2024								
State id	State	Prevalence	Cluste r Level	Sensitivit y	Specifi city	No of Villages	No of Animals	Phase-I	Phase-II	Phase-III	Average	Protection Level	Prevalence	Cluste r Level		Specifi city	No of Villages	No of Animals
1	Andaman & Nicobar	0.2	0.048	0.9	0.9	68	589				80.23667	32.094667	0.32	0.04	0.9	0.9	82	738
2	Andhra Pradesh	0.2	0.024	0.9	0.9	138	1794	73.25	71.51	64.52	69.76	27.904	0.28	0.04	0.9	0.9	82	1066
3	Arunachal Pradesh	0.2	0.43	0.9	0.9	75	810				45.52	18.208	0.18	0.02	0.9	0.9	122	1830
4	Assam	0.2	0.022	0.9	0.9	150	1950		75.67	50.76	63.215	25.286	0.25	0.03	0.9	0.9	110	1210
5	Bihar	0.2	0.02	0.9	0.9	165	2145		59.93		59.93	23.972	0.24	0.03	0.9	0.9	91	1092
6	chandigarh	0.2	0.2	0.9	0.9	16	193	99.49	68.68	72.54	80.23667	32.094667	0.32	0.04	0.9	0.9	82	656
7	Chhattisgarh	0.2	0.027	0.9	0.9	122	1586	78.63	69.07		73.85	29.54	0.3	0.04	0.9	0.9	82	738
8	Diu and daman	0.2	0.17	0.9	0.9	18	195	80.76			80.76	32.304	0.32	0.04	0.9	0.9	82	656
9	Delhi	0.2	0.11	0.9	0.9	29	334	89.47	84.17		86.82	34.728	0.35	0.05	0.9	0.9	66	528
10	Goa	0.2	0.04	0.9	0.9	83	916	92.12	94.8		93.46	37.384	0.37	0.05	0.9	0.9	66	462
11	Gujarat	0.2	0.024	0.9	0.9	138	1794	80.12			80.12	32.048	0.32	0.04	0.9	0.9	82	656
12	Haryana	0.2	0.031	0.9	0.9	106	1378	66.84	66	72.3	68.38	27.352	0.27	0.04	0.9	0.9	82	820
13	Himachal Pradesh	0.2	0.033	0.9	0.9	99	1081	81.64	66.36		74	29.6	0.3	0.04	0.9	0.9	82	738
14	Jammu and Kashmir	0.2	0.039	0.9	0.9	84	1092	73.31			73.31	29.324	0.29	0.04	0.9	0.9	82	738
15	Jharkhand	0.2	0.028	0.9	0.9	118	1534	73.95	42.41		58.18	23.272	0.23	0.03	0.9	0.9	110	1320
16	Kamataka	0.2	0.026	0.9	0.9	127	1651	96.67	70.47	53	73.38	29.352	0.29	0.04	0.9	0.9	82	738
17	Kerala	0.2	0.036	0.9	0.9	96	1020	68.78	48.64		58.71	23.484	0.23	0.03	0.9	0.9	110	1320
18	Ladakh	0.2	0.085	0.9	0.9	34	394	80.18	76.48		78.33	31.332	0.31	0.04	0.9	0.9	82	738
19	Madhya Pradesh	0.2	0.024	0.9	0.9	137	1781	59.43	39.02		49.225	19.69	0.2	0.03	0.9	0.9	165	2310
20	Maharashtra	0.2	0.027	0.9	0.9	121	1435		60.82		60.82	24.328	0.24	0.03	0.9	0.9	110	1210
21	Manipur	0.2	0.026	0.9	0.9	126	1381	85.66			85.66	34.264	0.34	0.05	0.9	0.9	66	528
22	Meghalaya	0.2	0.038	0.9	0.9	87	978	45.52			45.52	18.208	0.18	0.02	0.9	0.9	165	2475
23	Mizoram	0.2	0.033	0.9	0.9	100	733	89.36			89.36	35.744	0.36	0.05	0.9	0.9	66	528
24	Nagaland	0.2	0.033	0.9	0.9	99	693				68.38	27.352	0.27	0.04	0.9	0.9	82	820
25	Odisha	0.2	0.031	0.9	0.9	105	1217	70.91	65.9	90.95	75.92	30.368	0.3	0.04	0.9	0.9	82	738
26	Puducherry	0.2	0.043	0.9	0.9	76	803				84.81	33.924	0.34	0.05	0.9	0.9	66	594
27	Punjab	0.2	0.031	0.9	0.9	105	1365				68.38	27.352	0.27	0.04	0.9	0.9	82	820
28	Rajasthan	0.2	0.043	0.9	0.9	76	988				68.38	27.352	0.27	0.04	0.9	0.9	82	820
29	Sikkim	0.2	0.031	0.9	0.9	105	1288	86.74	62.17	52.03	66.98	26.792	0.27	0.04	0.9	0.9	82	820
30	Tamilnadu	0.2	0.026	0.9	0.9	126	1638	88.03	77.75	88.65	84.81	33.924	0.34	0.04	0.9	0.9	66	528
31	Telangana	0.2	0.024	0.9	0.9	138	1794	70.76	70.71		70.735	28.294	0.28	0.04	0.9	0.9	82	820
32	Tripura	0.2	0.036	0.9	0.9	91	1183				45.52	18.208	0.18	0.02	0.9	0.9	122	1830
33	Uttarakhand	0.2	0.031	0.9	0.9	105	1191	64.8			64.8	25.92	0.26	0.03	0.9	0.9	110	1210
34	Uttar Pradesh	0.2	0.026	0.9	0.9	127	1651	71.96			71.96	28,784	0.29	0.04	0.9	0.9	82	820
35	West Bengal	0.2	0.024	0.9	0.9	138	1794	86.03			86.03	34.412	0.34	0.05	0.9	0.9	66	528
	TOTAL					3528	42369	76.47	63.05	66.24	2485.49						3153	33443

Sampling Plan

Sample ID	District_Name	Block_Name	Village_Name	Buffaloes	Cattle	Cattle + Buffalo	Number of units to sample	Buffalo Proportion	Cattle Proportion	Probability Value
pachmu(1621- 1630)	Palakkad	Chittur	Muthalamada(GP) ÔÇôWardNo.9	0	862	862	10	0	10	6.20E-07
pamash(1631- 1640)	Palakkad	Mannarkad	Sholayur(GP)ÔÇô WardNo.14	5	924	929	10	0	10	5.75E-07
pamash(1641- 1650)	Palakkad	Mannarkad	Sholayur(GP)ÔÇô WardNo.6	0	962	962	10	0	10	5.55E-07
pachmu(#)	Palakkad*	Chittur	Muthalamada(GP)ÔÇôWardNo.10	54	1061	1115	10	0	10	4.79E-07
			Total	2634	53344	55978	1660	66	1594	0.000295694

*Reserved villages to be used for sampling if any selected village in a given district is not accessible, has logistic problem or any other issues; # The replaced village Sample Numbers are used with the reserved village sample IDs, i.e., if a village with sample id changng (1015-1027) is replaced with the reserved village then the sample id is replaced with the reserved village id and the sample numbers are same as of replaced village (
2000 account (1015-1027))

Sampling plan Bulletin



Approximately **5,39,535** samples are allocated annually across India for monitoring and surveillance of four prioritized animal diseases (FMD, Brucellosis, PPR, and CSF) supporting nationwide disease tracking and control initiatives.

Operational Scale & Response Time Optimization in NADRES V2 via AI/ML Automation

Data Inputs for Monthly Livestock Disease Forecasting

- ✓ Total Livestock Population & Animal Species Covered: 540 million animals (Cattle, Buffalo, Sheep, Goat, and Pig)
- ✓ **Disease Surveillance Network**: Data collected from 35 NADEN (National Animal Disease Epidemiology Network) Centers

WhatsApp NADEN Group



- ✓ Number of States & Districts Covered: 36 States & UTs, 755 Districts
- ✓ **Number of Target Diseases**: **15** economically important livestock diseases
- ✓ Climatic Parameters: 18 key weather and climate variables considered
- ✓ **Remote Sensing Variables**: 5 variables derived from satellite and geospatial data
- ✓ **Delta Variables**: **23** variables capturing changes in climatic trends over time
- ✓ Forecasting Models: 20 predictive models used for analysis
- ✓ **Indices**: 13 indices to support decision-making and interpretation

Operational Scale

Sl. No.	AI & ML-Driven Operation	Volume of Operations for One year							
1	Data Capturing	2,08,380 records(disease data, key risk factors)							
2	Data Alignment	7,61,046 records (additional 23 delta variables)							
3	Disease Modelling	Forecasting 15 livestock diseases, over 12 months using 20 models and 13 performance indices across 755 districts and 15 agro climatic zones in India requires approximately 530 million operations per time							
4	Risk Communication	25 lakh SMS alerts to farmers in 1 year; 17 to 18 thousand DLT SMS alerts to veterinary officials every month							

Optimized Response Time in NADRES Through AI/ML Automation for Each month

Process	Before Automation	After Automation	Improvement		
Data Collection + Cleaning	10–14 days	< 48 hours	~90% time saved		
Forecasting & Modeling	7–10 days	< 10 hours	~95% faster		
Report Preparation	10 – 15 days	< 3 days	~90% time saved		
Alert Generation	Manual dispatch	Instant multi- channel	Real-time communication		
Total Response Cycle	18–24 days	< 6 days	faster response time		

- Fully automated pipeline powered by **AI and ML**, Covers the entire workflow from data acquisition through to district-level risk alerts
- Over **2,346** lines of **R code** implemented across data capture, processing, and modeling stages to automate the NADRES V2 pipeline. (https://nivedi.res.in/Nadres_v2/)
- Nearly **250** CPU hours per month devoted to continuous model execution and risk forecasting.

NADRES V2: Future Scalability & Strategic Collaborations for Precision Livestock Disease Forecasting

Scalability Opportunities

- ✓ Integrated Mathematical and Surveillance Modeling: Develop mathematical and surveillance models and integrate them with data-driven frameworks for priority livestock diseases such as FMD, PPR, and ASF, enhancing precision and early detection capabilities.
- ✓ **Micro-Level Forecasting**: Expansion from district to **block and village levels**, enabling hyper-localized risk predictions tailored to specific livestock practices and microclimates.
- ✓ **Model and Disease Expansion:** The number of forecasted livestock diseases is projected to increase to 20-30, with a parallel rise in machine learning models to approximately 25-30, improving prediction specificity and robustness.
- ✓ **Offline Accessibility**: Deployment of AI/ML models on mobile devices with **offline capabilities** for remote areas with poor internet.
- ✓ Multi-Language & Voice Support: Integration of AI-driven voice alerts, SMS, IVR, and community radio in regional languages for inclusive communication.

Strategic Collaborations

- ✓ NICRA (ICAR): Leveraging agro-climatic data to enhance prediction accuracy under climate variability (floods, droughts).
- ✓ **IMD Integration:** Real-time meteorological data and **farmer details** across India are integrated to enhance the prediction of climate-sensitive and vector-borne diseases and to enable timely dissemination of alerts to farmers
- ✓ Government Platforms: Seamless integration with NDLM, BSNL, and Digital India initiatives for unified data exchange and delivery.

AI & ML Adaptability: Dynamic model recalibration using real-time feedback and new climate-disease relationships.

Community-Centric Risk Communication

- ✓ Global Inter Engaging village cooperatives and extension workers as grassroots communication hubs.
- ✓ Dissemination through **SMS**, **IVR**, **local radio**, and **mobile-based tools** to reach digitally underserved areas.
- ✓ We will also **expand SMS alerts to farmers in their local or vernacular languages**, ensuring better understanding and adoption.

Global Interest

✓ FAO experts organized a workshop on community-based early disease detection and reporting systems, and invited the NADRES V2 team to explore expanding its implementation at the community level.

Officials were oriented on the NADRES V2 workflow during their visit to the SEL Lab







Certificate

The website is currently under evaluation by the Standards and Quality Compliance Lab (STQCL) for adherence to GIGW guidelines

	Parameter	NADRES v2 Website	ICAR- NIVED Website
	Errors	0 (No critical accessibility errors)	0
	Contrast Errors	0 (No contrast issues)	0
	Features	32(Accessibility features implemented)	55
	Structural Elements	71	86
	ARIA Attributes	78	46



Intelligence tools



atul chaturvedi @atul i chaturvedi · ih ICAR-NIVEDI is doing great job in area of disease forecasting through Artificial

Dept of Animal Husbandry & D...

Secretary AHD @atul1chaturvedi visited to ICAR-NIVEDI, Interacted with the Scientist Involved in veterinary disease epidemiology.





Maccaga Alart

Summary Report

NADRES V2 has been conferred with the <u>National Award for e-Governance 2024–25 (Gold)</u> under the category 'Innovation by Use of AI and Other New Age Technologies for Providing Citizen Centric Services'.





